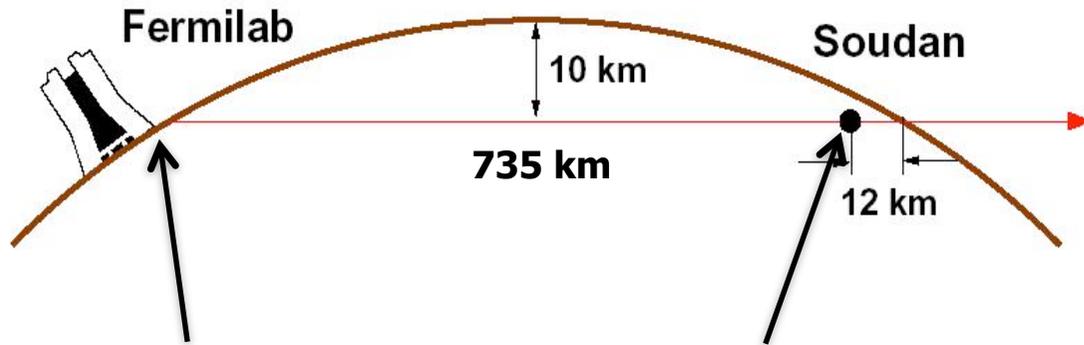




# Measuring Antineutrino Oscillations in MINOS

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IOP 2010  
University College London

# Main Injector Neutrino Oscillation Search



Neutrinos are produced by the **NuMI beam**. The beams composition and energy are measured by the **Near Detector**

The oscillated neutrino beam is measured by the **Far Detector**, at a mine in Minnesota.



*Measurements and limits include:*

$\Delta m^2_{32}$ ,  $\sin^2 2\theta_{32}$ ,  $\Delta \bar{m}^2_{32}$ ,  $\sin^2 2\bar{\theta}_{32}$ ,  
 $\theta_{13}$ , Sterile Neutrinos, CPT  
conservation, Cross-sections...

# MINOS Detectors

Both detectors are functionally equivalent, in order to reduce systematics.

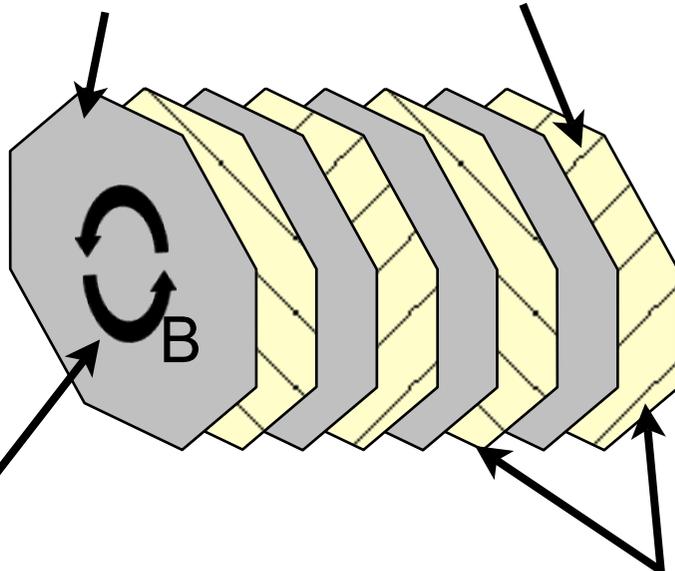
## Near Detector

- ▶ At Fermilab, IL
- ▶ 282 Planes
- ▶ 980 Ton

## Far Detector

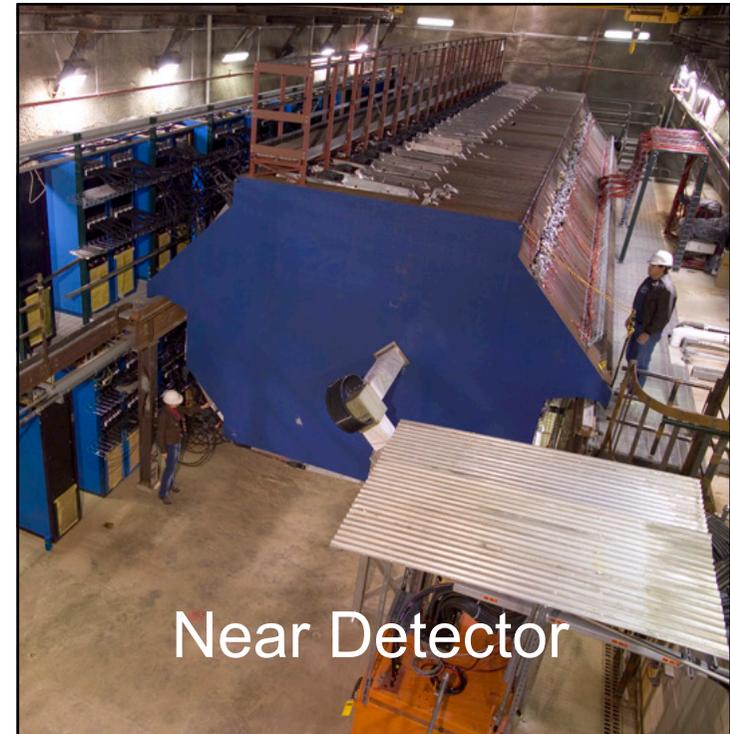
- ▶ At Soudan, MN
- ▶ 486 Planes
- ▶ 5400 Ton

Planes of 2.54cm Steel  
and 1cm Scintillator



Toroidal magnetic field allows charge sign determination

Alternating scintillator planes in perpendicular directions for 3D event reconstruction

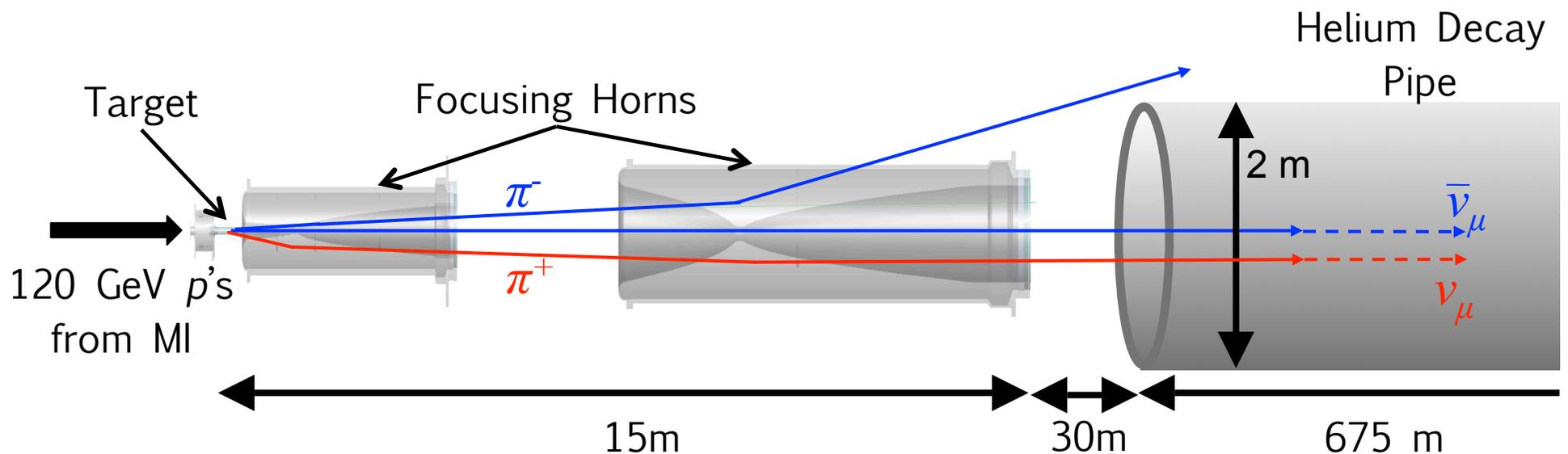


Near Detector



Far Detector

- ▶ Neutrinos are provided by the “**N**eutrinos at the **M**ain **I**njector” (NuMI) beam at Fermilab
- ▶ 120 GeV protons are collided with a graphite target to produce  $\pi$ s and Ks, which decay to produce neutrinos (mainly  $\nu_\mu, \bar{\nu}_\mu$ )
- ▶ Two magnetic horns focus resultant particles of a *specific charge-sign*, depending on the current direction:
  - Neutrino parents are focused in *Forward Horn Current (FHC)* mode
  - Antineutrino parents are focused in *Reverse Horn Current (RHC)* mode

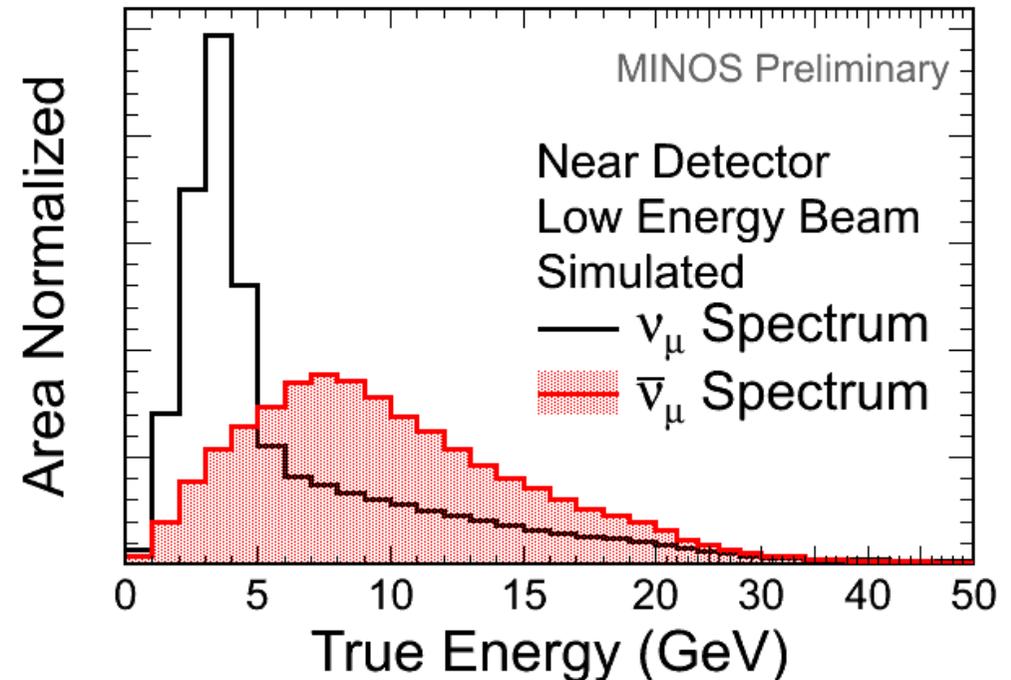
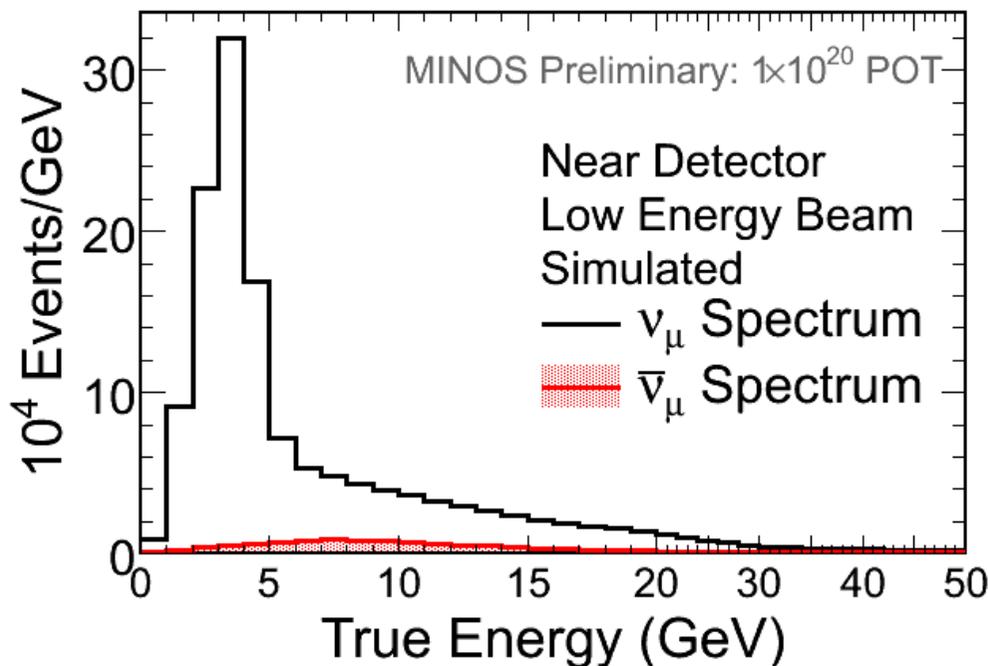


# Antineutrinos

When running in neutrino mode, 7% of the beam is 'contaminated' with muon antineutrinos.

Challenges to an analysis of these include:

- ▶ Antineutrinos have cross-sections about  $\sim 1/3$  compared to neutrinos
- ▶ Antineutrino parents that pass through the horns in this configuration are on average of a higher energy

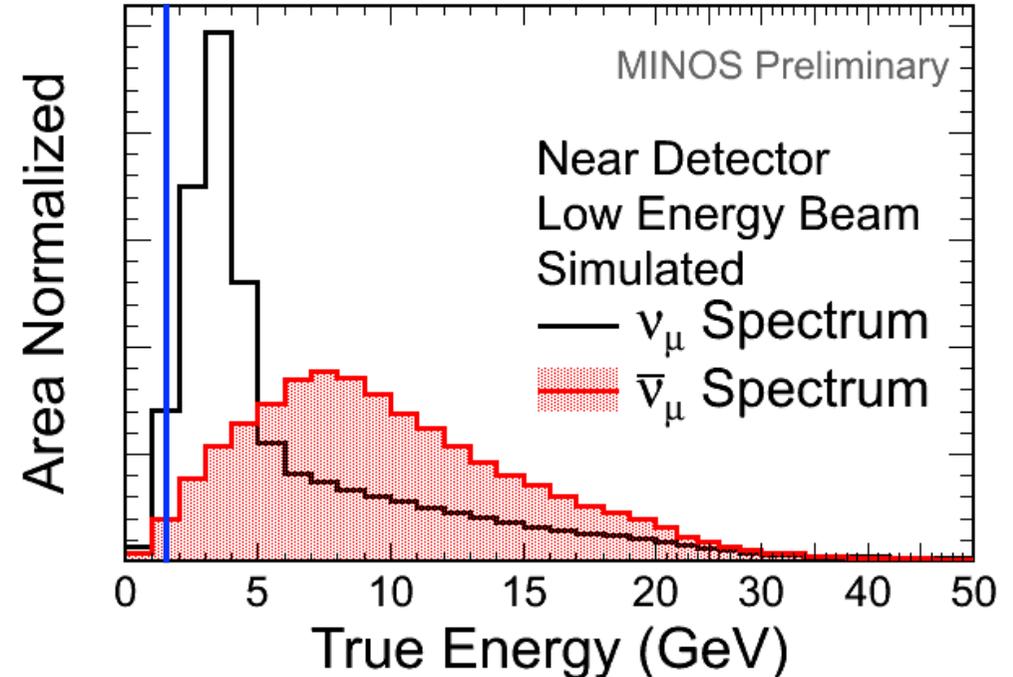
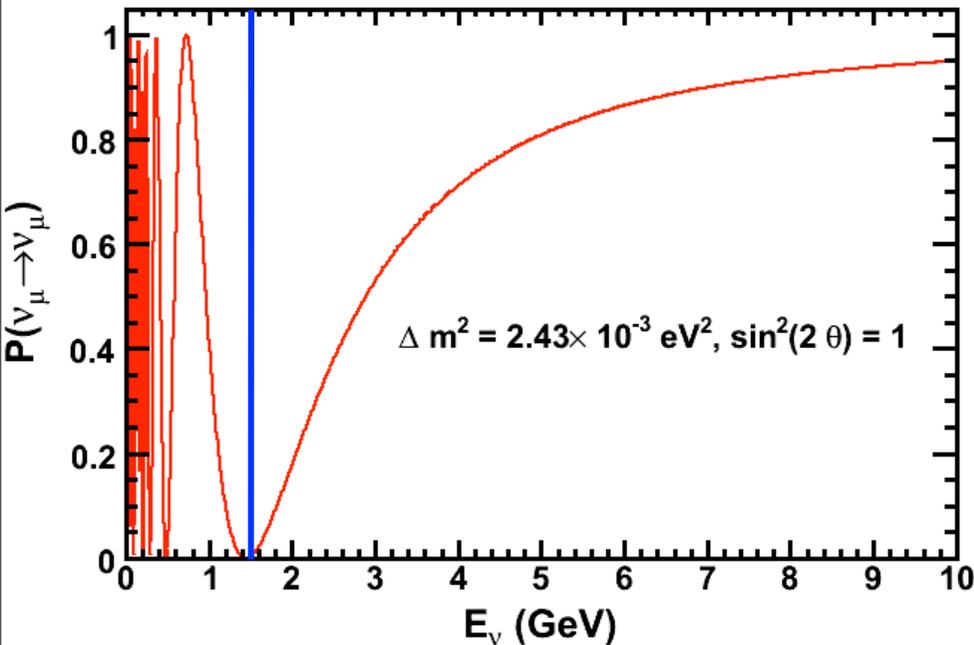


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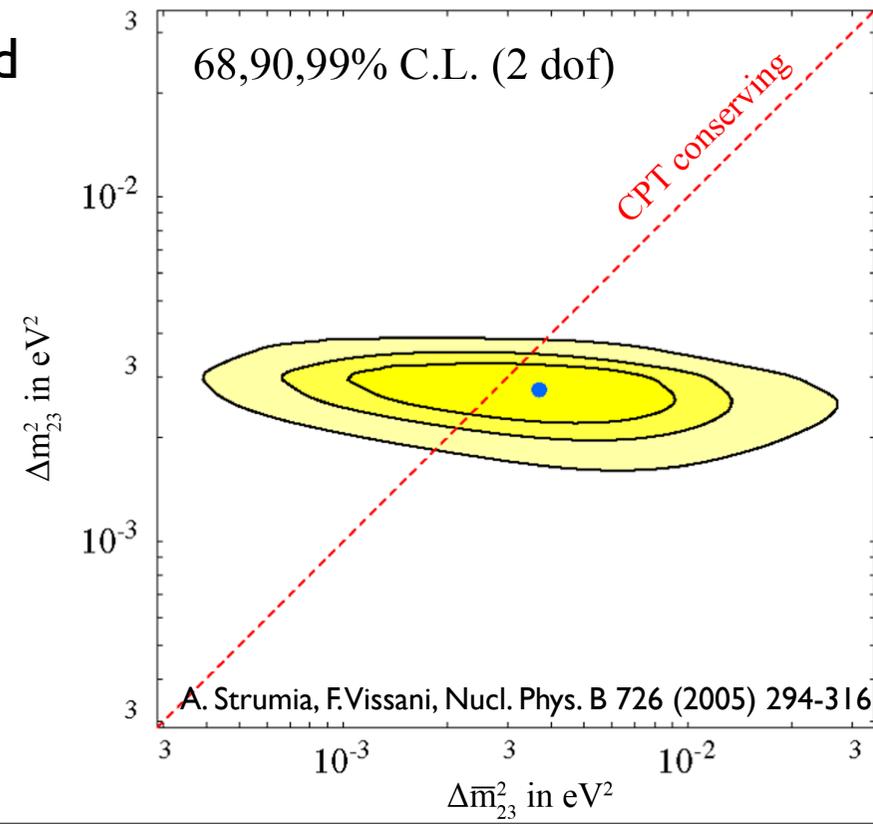
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# Motivation for measuring Antineutrinos

- ▶ We have the only large, underground sign-separating Neutrino detector, and no next-generation detectors with similar capabilities (event-by-event charge separation) are planned
- ▶ A possible explanation of LSND
  - M.C. Gonzalez-Garcia et al., Phys. Rev. D 68 (2003) 053007
  - The LSND experiment measured oscillations using antineutrinos and found  $0.2 \text{ eV}^2 < \Delta m^2 < 2 \text{ eV}^2$ , much larger than any other measurement
  - One explanation was that LSND's measured  $\Delta \bar{m}^2$  was significantly different from  $\Delta m^2$
  - Constraints from other experiments have made this less likely, but still viable if sterile neutrinos are included.
- ▶ **Limited antineutrino knowledge**, world  $\Delta \bar{m}^2$  limits are 6 times wider for antineutrinos than for neutrinos.



# Latest Antineutrino Results

- ▶ Have performed an analysis of antineutrino disappearance with  $3.2 \times 10^{20}$  Protons on Target (POT) in neutrino mode
- ▶ Because of low statistics, cannot approximate confidence limits as gaussian in the presence of our physical boundaries
- ▶ Have used the **Feldman-Cousins** technique to determine the correct confidence intervals  
G. Feldman, R. Cousins Phys. Rev. D 57, 3873 - 3889 (1998)
- ▶ We can also account for systematics in a very natural way - exactly on each event in the Monte-Carlo, rather than approximating the effects on the spectrum

# Feldman-Cousins Method

- ▶ With Gaussian statistics, we can draw a contour by tracing round the likelihood surface at a prescribed up-value ( $\Delta\chi^2$ )

$(1 - \alpha)$ (%)	$m = 1$	$m = 2$
68.27	1.00	2.30
90.	2.71	4.61
95.	3.84	5.99

*C. Amsler et al. (Particle Data Group),  
Physics Letters **B667**, 1 (2008)*

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- ▶ To do this, we generate a large number of real-statistics experiments and fit each one separately

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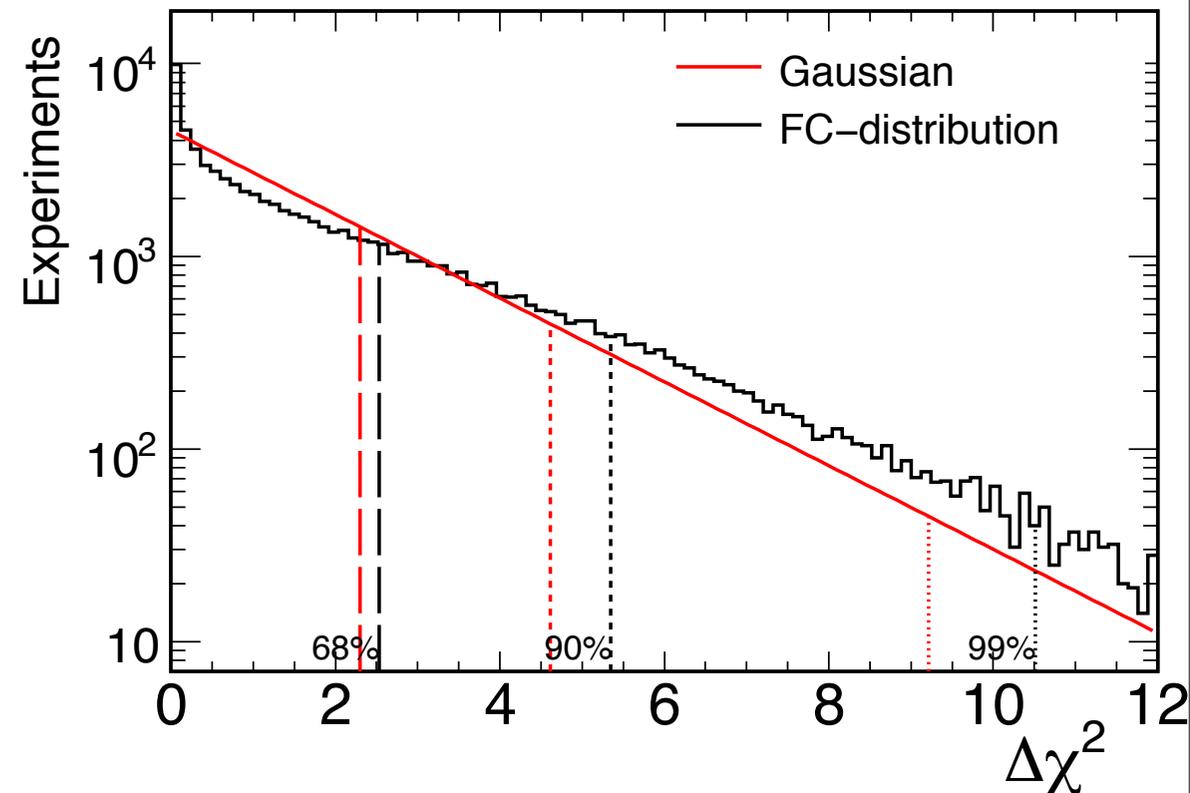
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- ▶ To do this, we generate a large number of real-statistics experiments and fit each one separately
- ▶ We can use the results of these fits to **create a distribution** of likelihood values
- ▶ The integral of this distribution to the required coverage gives you the value at which to trace the contour

$\Delta\chi^2$  values for  $\sin^2 2\bar{\theta} = 1$ ,  $\Delta\bar{m}^2 = 2.5 \times 10^{-3}$

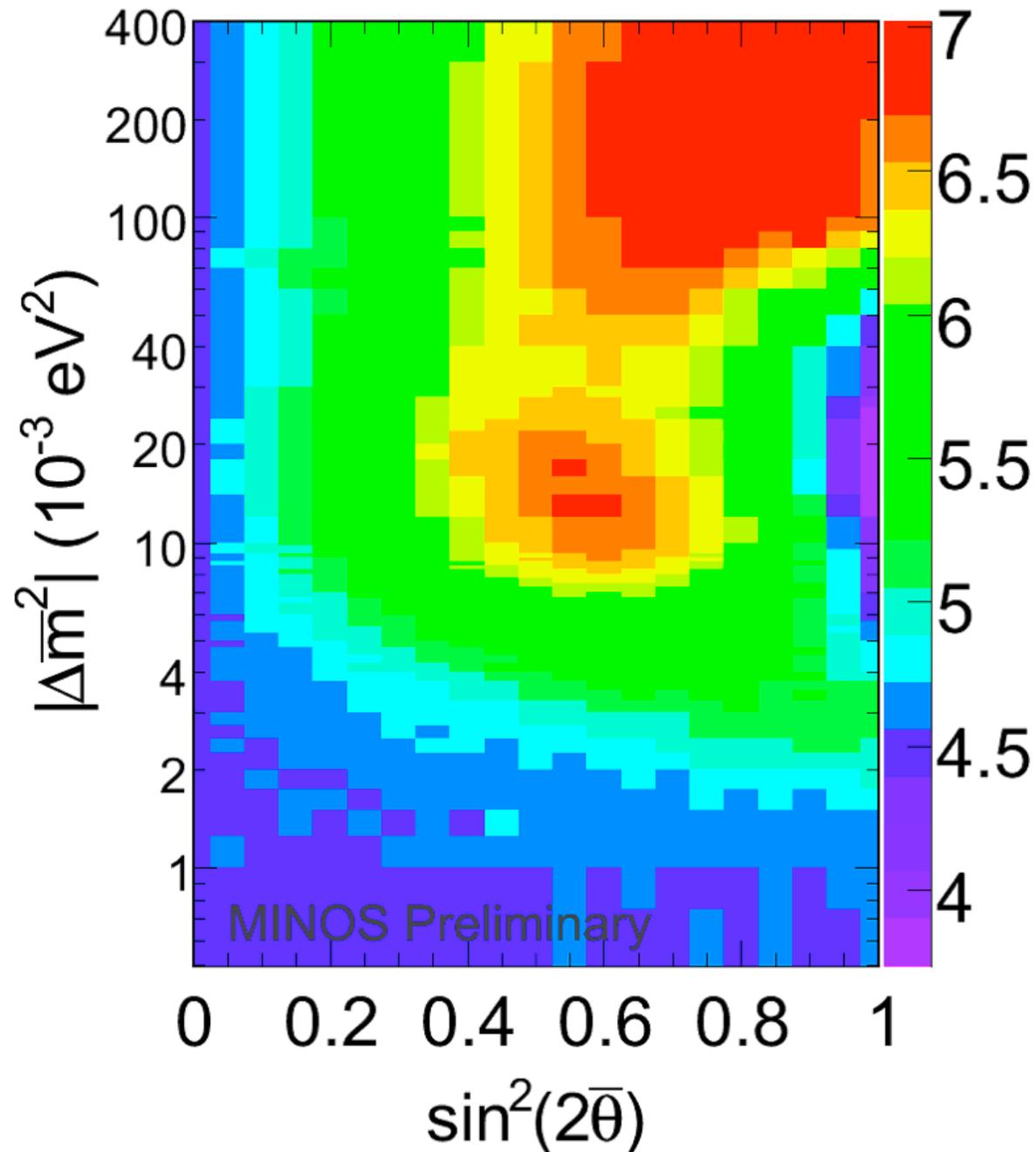


# Coverage Correction

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- ▶ Each point the contour passes through is corrected separately
- ▶ This image shows the grid of  $\Delta\chi^2$  values that give 90% coverage
- ▶ Once the likelihood surface is generated, any points below the corresponding place on this graph are within 90%
- ▶ **This has the ultimate effect of ‘pushing’ the contour around**
- ▶ Confidence limits become exact, not an approximation



# Results: Far detector Data

- ▶ Predicted events with CPT conserving Oscillations:

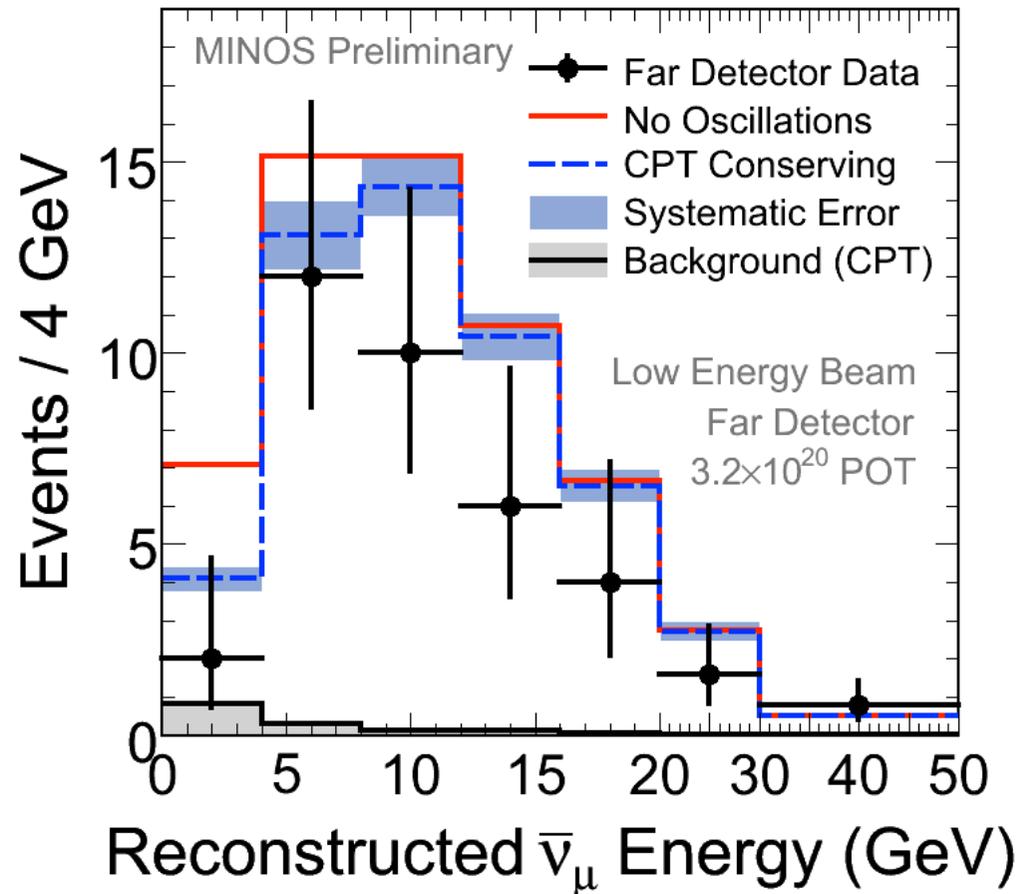
$$58.3 \pm 7.6 \text{ (stat)} \pm 3.6 \text{ (syst.)}$$

- ▶ Predicted events for null oscillations:

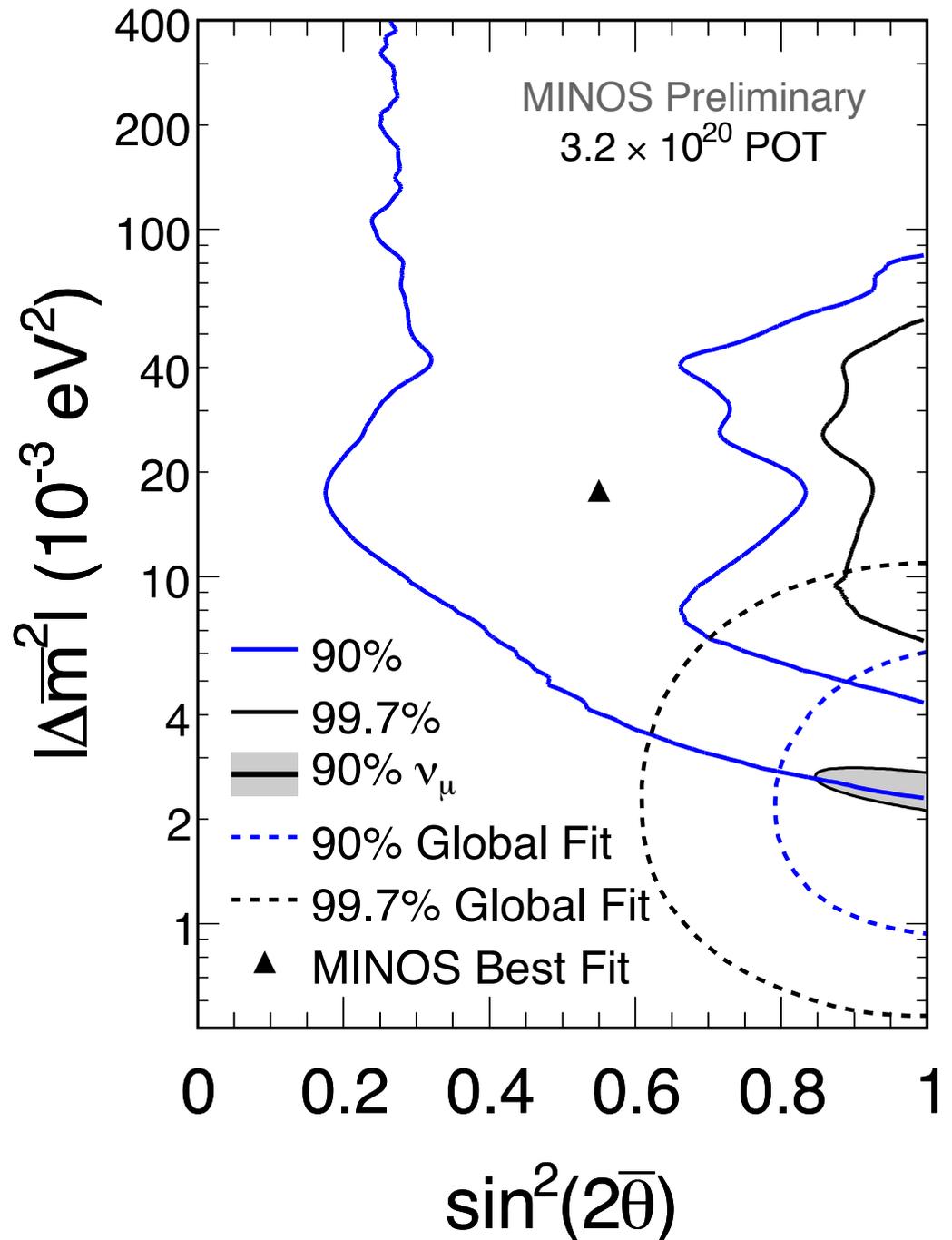
$$64.6 \pm 8.0 \text{ (stat)} \pm 3.9 \text{ (syst.)}$$

- ▶ Observed: **42 Events**

- $1.9\sigma$  deficit
- At high energy, where oscillation signature is not expected

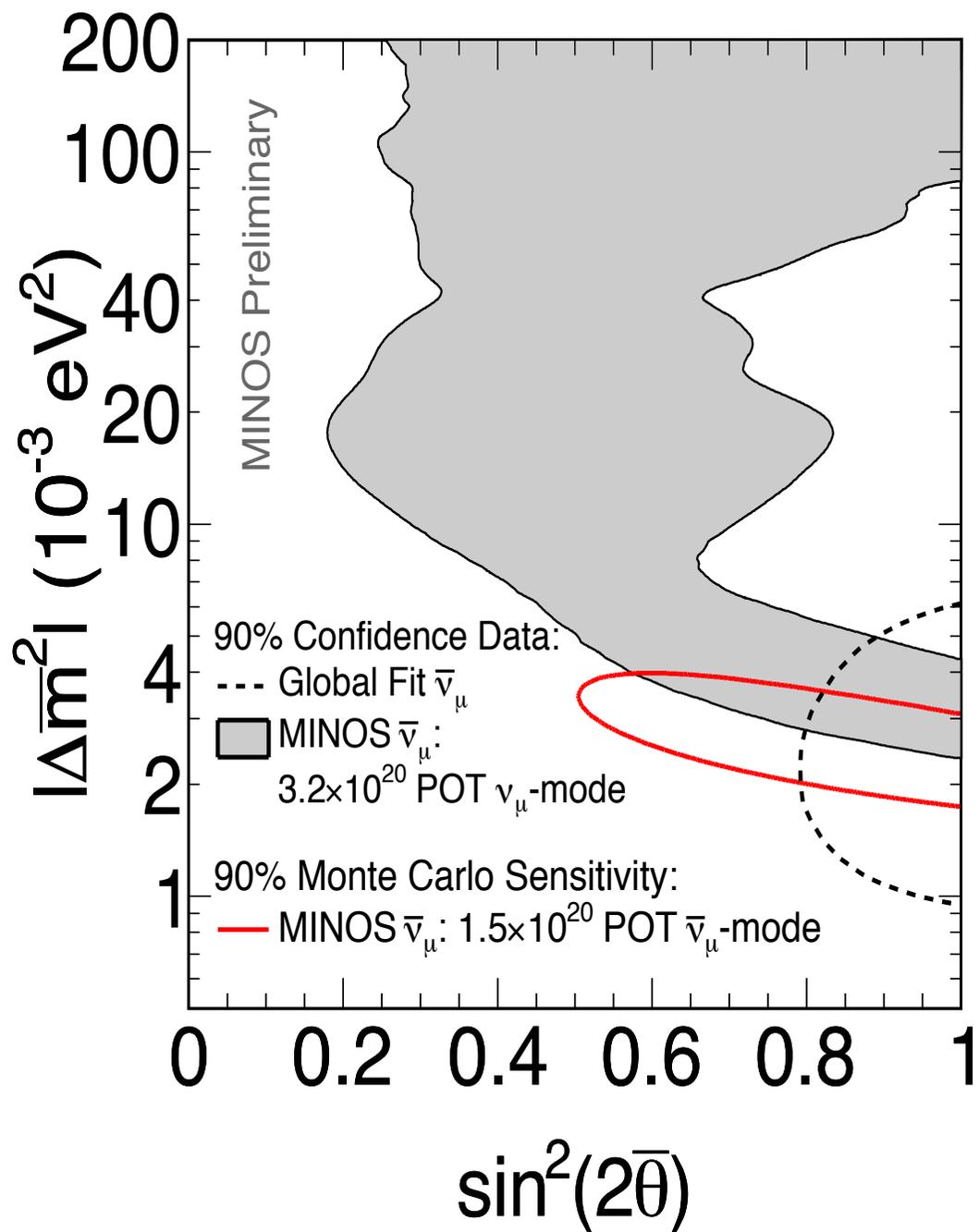
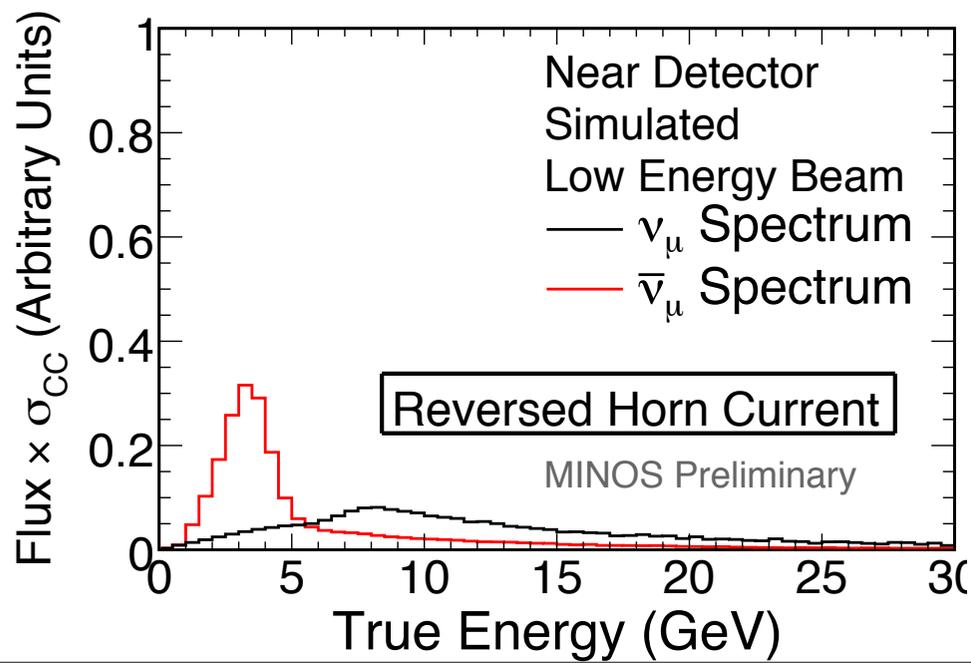


- ▶ Feldman-Cousins corrected contour *including systematics*
- ▶ Best fit is at high value, due to deficit at high energy
- ▶ CPT conserving point from the MINOS neutrino analysis is within the 90% contour
- ▶ Null oscillation hypothesis excluded at 99%
- ▶ At maximal mixing **exclude:**  
 $(5.0 < \Delta\bar{m}^2 < 81) \times 10^{-3} \text{ eV}^2$
- ▶ Dashed lines show global fit to previous data, Super-Kamiokande dominates (SK-I and SK-II)



# Future Analysis: Reversed Horn Current

- ▶ In October we started taking data with the beam in antineutrino mode
- ▶ Have accumulated  $1.76 \times 10^{20}$  POT in this configuration
- ▶ Antineutrino spectrum is lower energy, and dominant
- ▶ First results this summer!



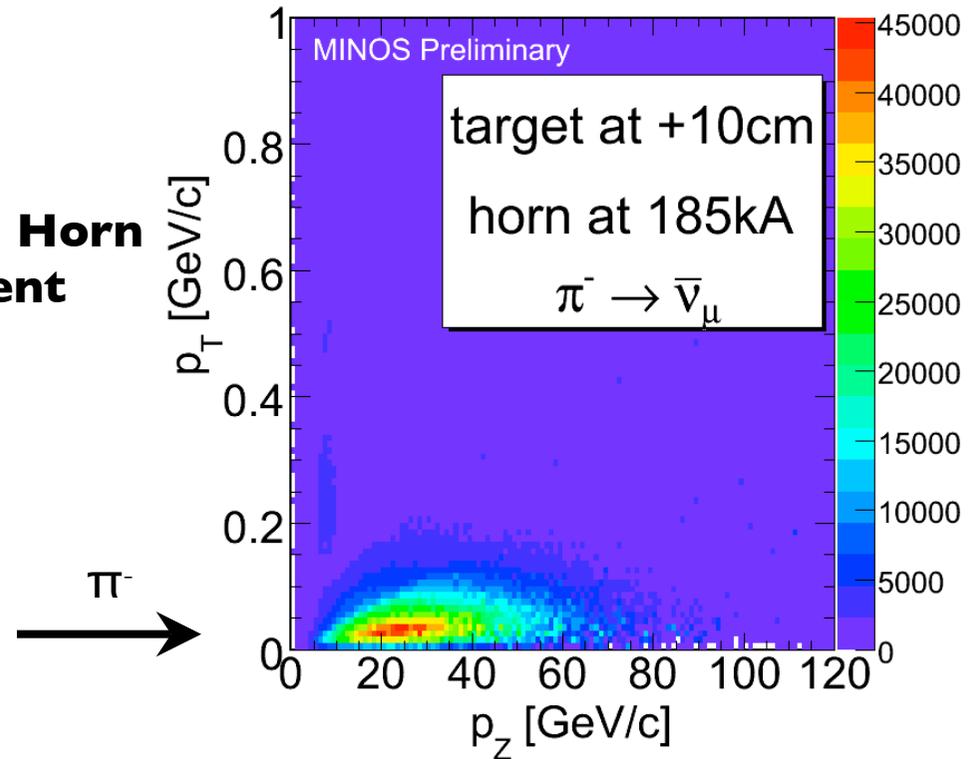
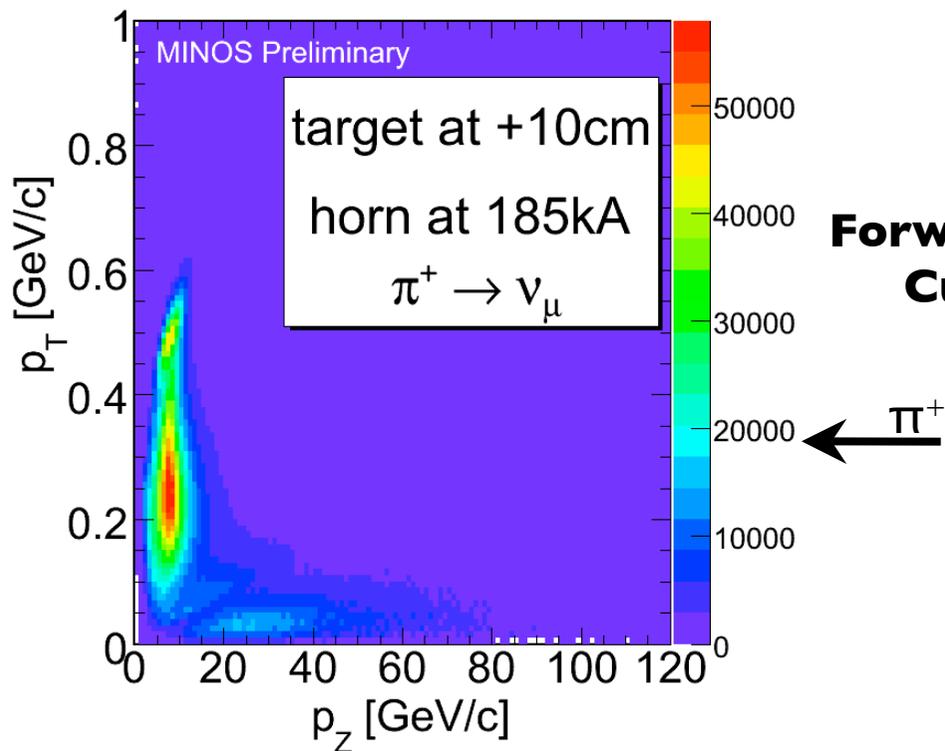
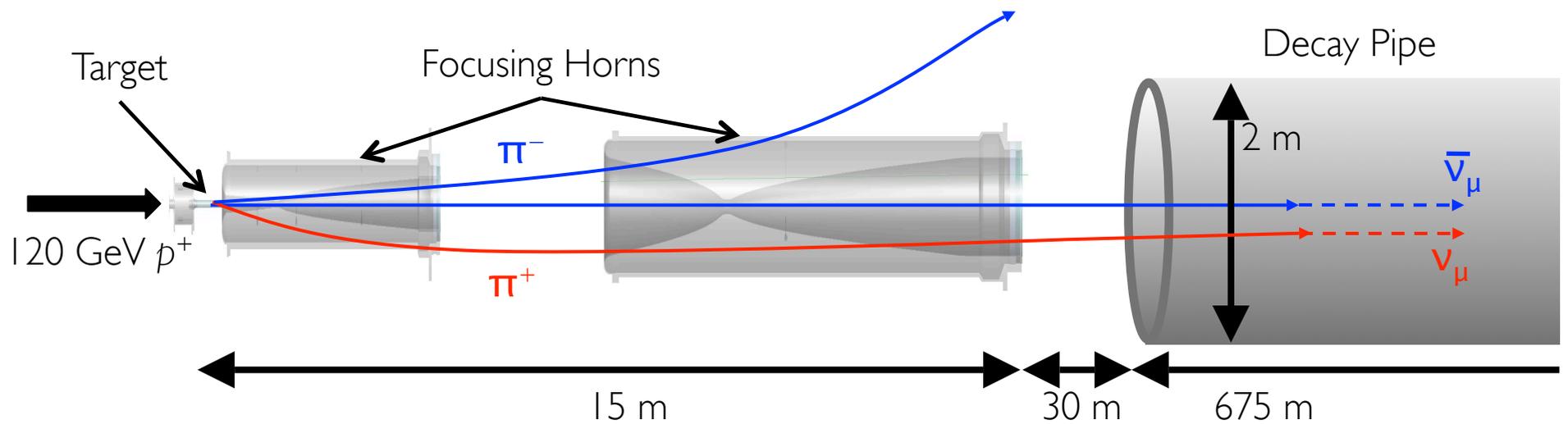
# Summary

- ▶ MINOS is a mature and flexible experiment that has measured many facets of neutrino properties
- ▶ Presented data of the first direct observation of  $\bar{\nu}_\mu$  in a long-baseline experiment
- ▶ The Feldman-cousins technique was used to correctly calculate the confidence intervals
- ▶ Data from NuMI in antineutrino result will be presented this summer

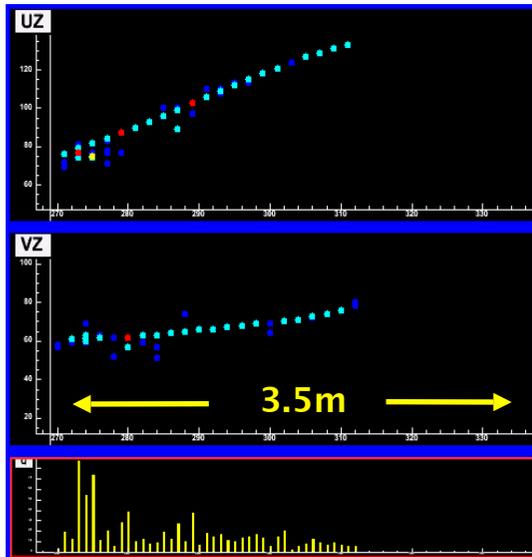
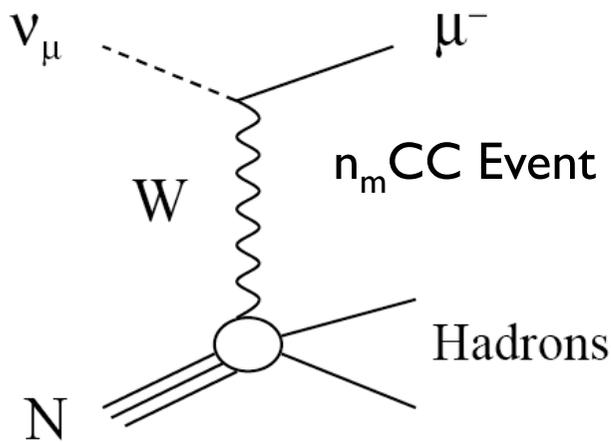


# Backup Slides

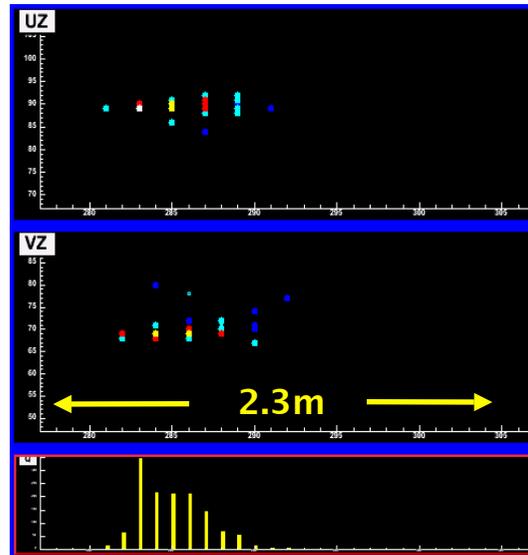
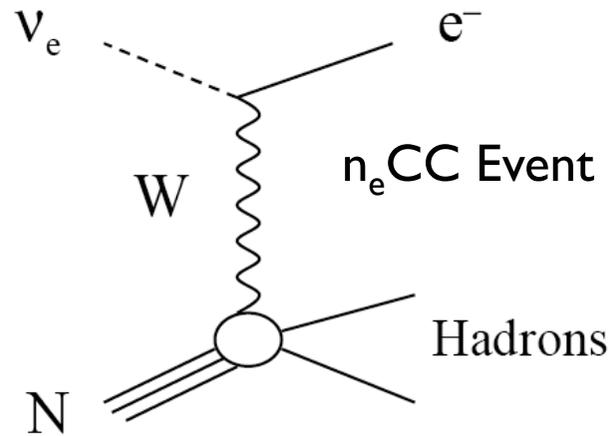
# Why are the spectra so different?



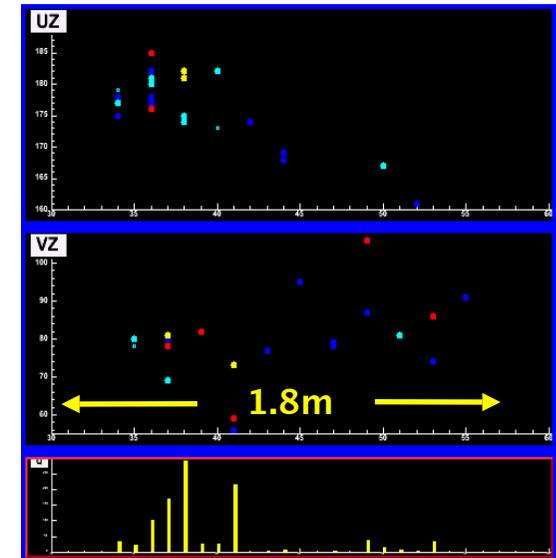
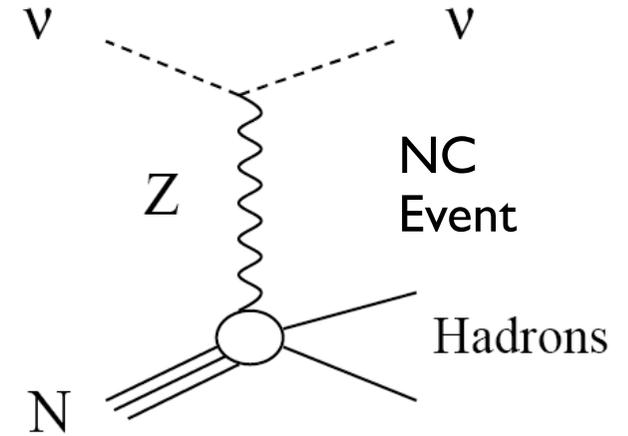
# Event Topologies



long  $\mu$  track+ hadronic activity at vertex



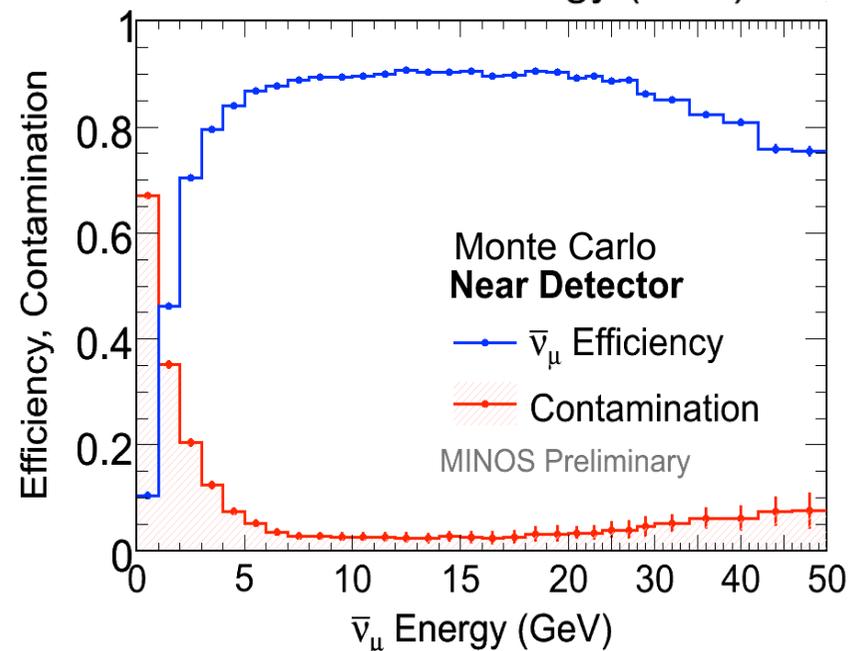
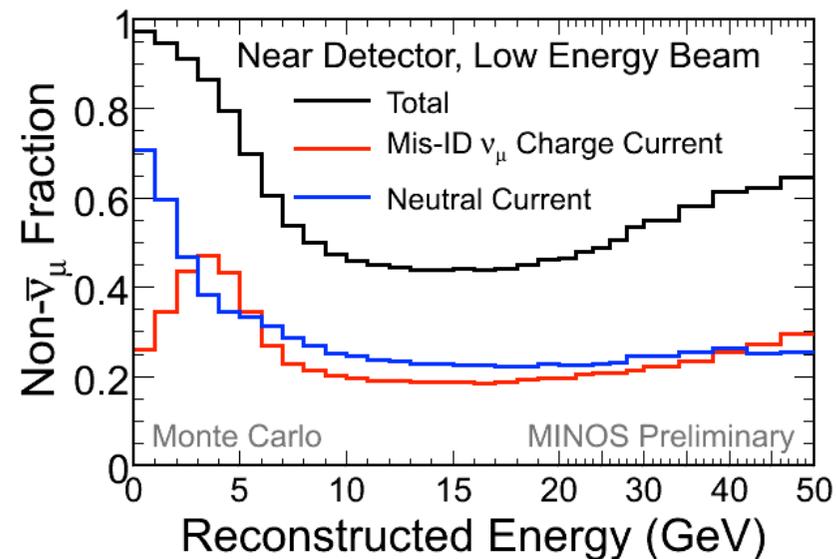
short, with typical EM shower profile



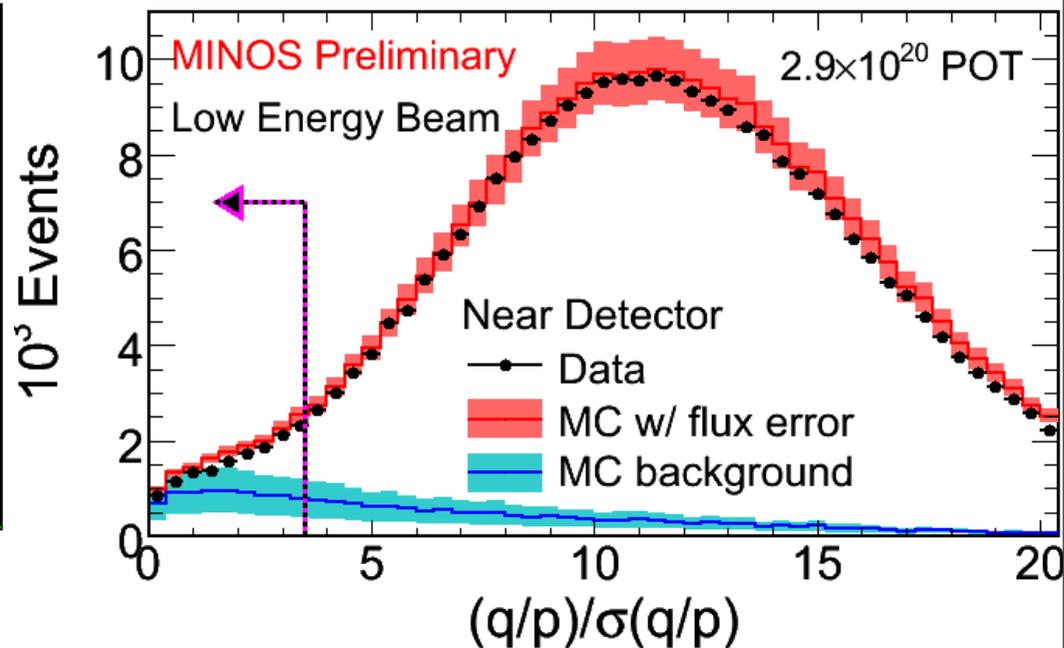
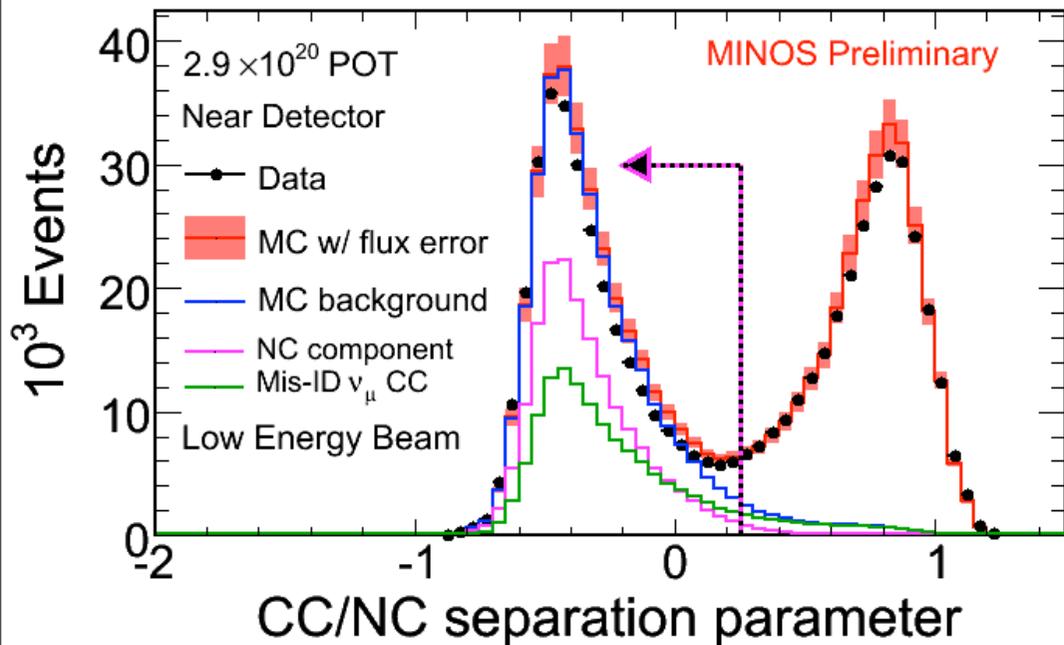
short event, often diffuse

# Selection: Backgrounds

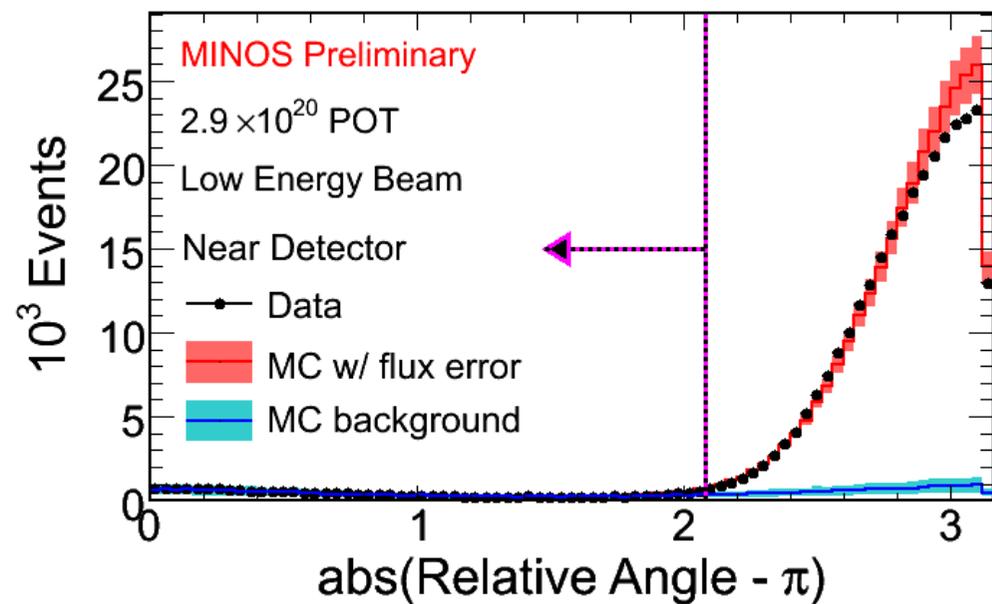
- Large background:
  - mis-identified  $\nu_\mu$  events with wrong track sign (8%)
  - NC events faking a muon track (50%)
- Additional selection cuts:
  - Significance of charge sign determination
  - Relative angle (does the track curve towards or away from the magnetic coil hole relative to its initial direction)
  - Likelihood based on track length and pulse height for CC/NC separation
- Near Detector: 87% efficiency, 5% contamination



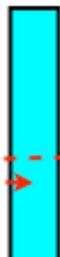
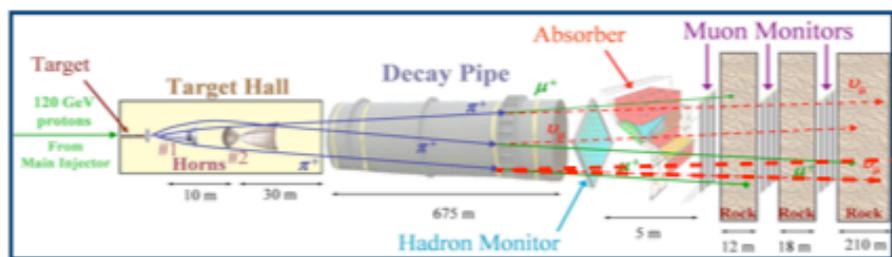
# Selection Variables



- ▶ Likelihood based CC/NC separation (developed for previous analyses, removes both NC and mis-id'd CC)
- ▶ Track fit charge significance
- ▶ Relative angle (direction of the track in the magnetic field)

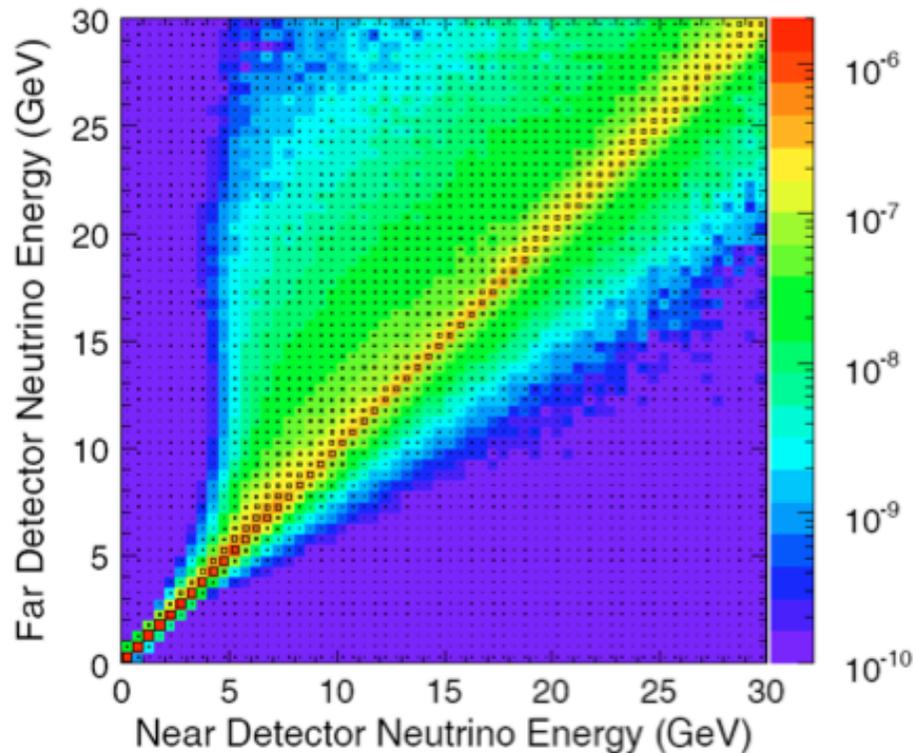
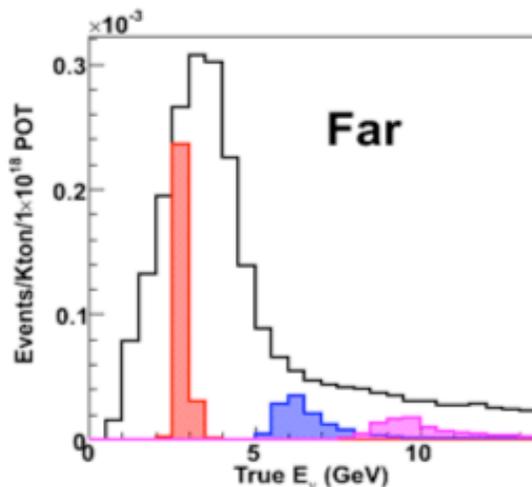
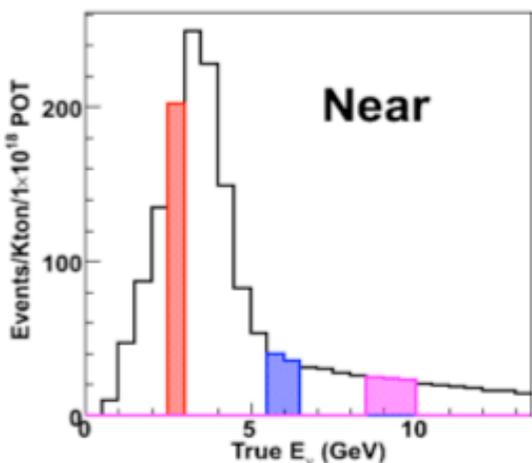


# Extrapolation



Line Source  
at ND

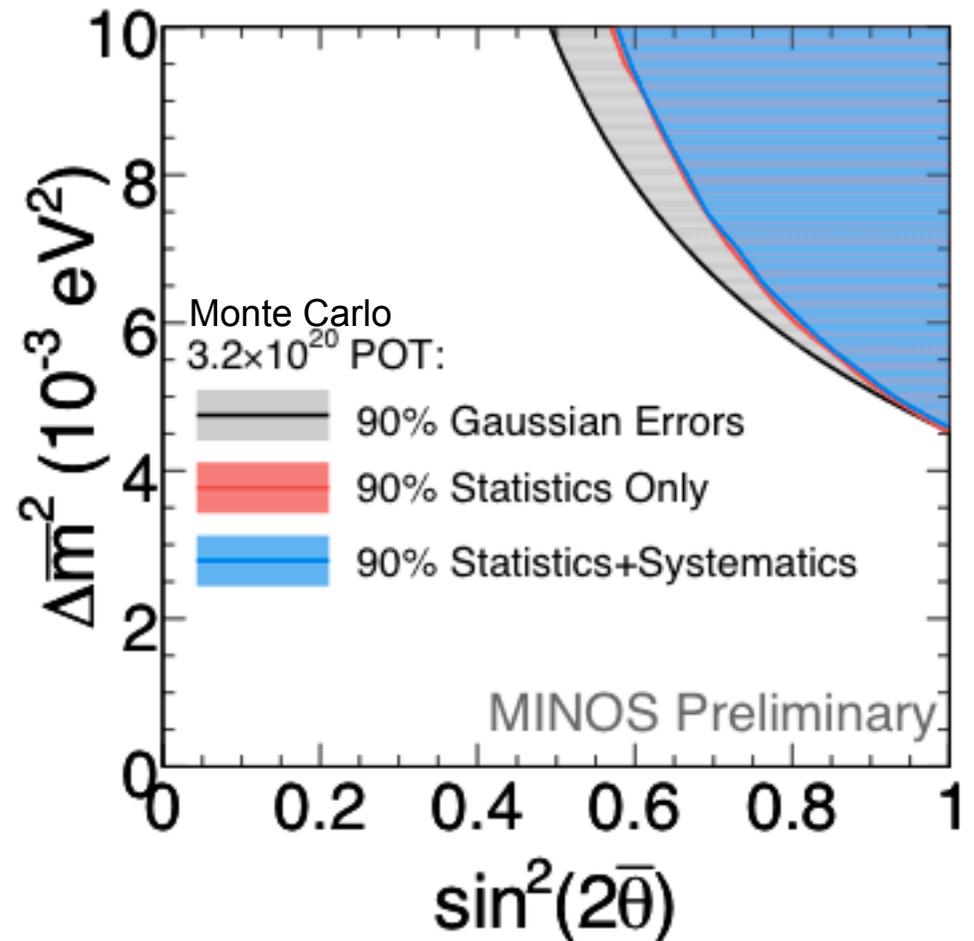
Point Source  
at FD



- Near detector energy spectrum extrapolated to Far Detector, using MC to provide energy smearing and correct for detector acceptance

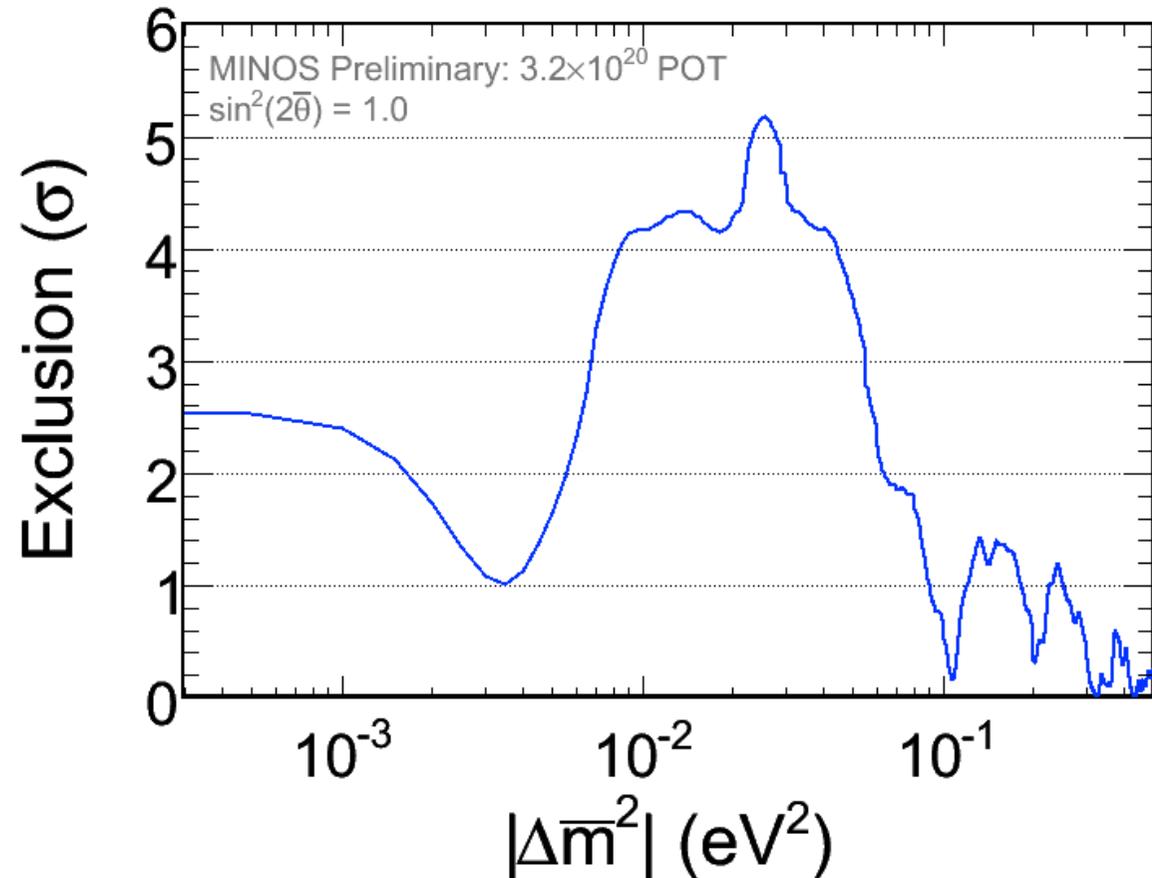
# Sensitivity

- ▶ This plot shows the sensitivity of our analysis
- ▶ This is the coverage contour we would get in the 'Average' experiment
- ▶ The contribution from the Feldman-Cousins corrections are shown



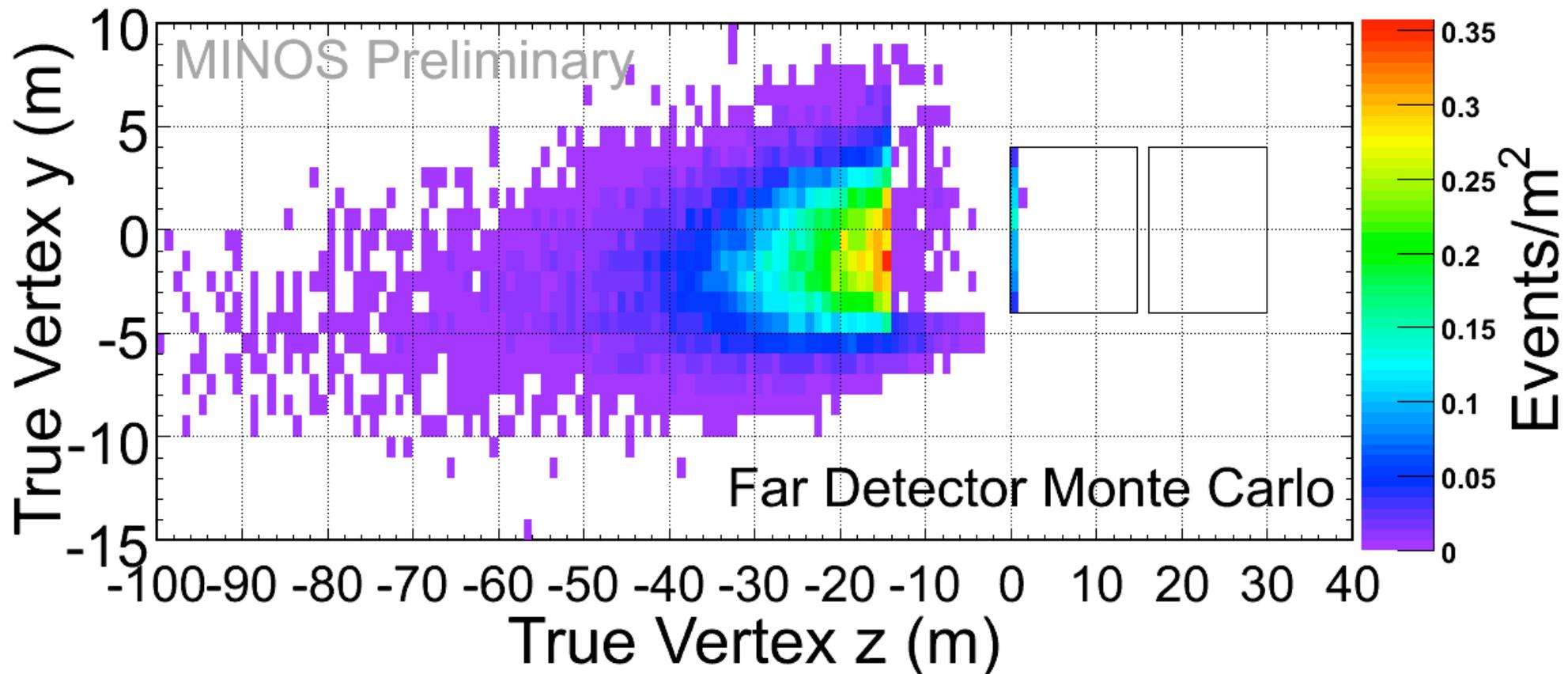
# One parameter Fit at Maximal Mixing

- ▶ Dataset doesn't constrain mixing angle well.
- ▶ Perform one parameter fit at maximal mixing.
- ▶ MINOS excludes at maximal mixing:  
 $(5.0 < \Delta m^2 < 81) \times 10^{-3} \text{ eV}^2$  (90% C.L.)
- ▶ Similarly at  $3\sigma$  C.L.:  
 $(6.7 < \Delta m^2 < 55) \times 10^{-3} \text{ eV}^2$  ( $3\sigma$  C.L.)



# Antineutrino 3.2E20 Cross-Checks

- The deficit is consistent with statistical fluctuations
- Extensive cross checks were performed
- An independent sample of **rock muons** was studied
  - Sample about half the size of the fiducial sample
  - Found a  $\sim 1$  sigma excess



# Statistical Context

- ▶ Compared to the CPT-conserving oscillation hypothesis we have a deficit of **16.3 events**
- ▶ Using **normalization information alone** this is a 1.9 sigma effect
- ▶ A study using 100,000 fake experiments including systematics gave the probabilities in accordance with expectations

