# **Acoustic Detection of Ultra–High Energy Neutrinos**



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[also : DSTL, Lancaster, Northumbria, Sheffield]

- Vltra–High Energy Cosmic Rays
- \* UHE Neutrino Sources
- \* UHE Neutrino Detection
- \* Acoustic Detection of UHE Neutrinos
- Existing Hydrophone Arrays
- Feasibility Tests of Acoustic Detection
- ★ Summary

### Ultra-High Energy (UHE) Cosmic Rays





### **UHE Neutrino Detection**

μ





4

#### **UHE Neutrino Detection**



#### **Acoustic Detection of UHE Neutrinos**

- ★ UHE neutrino induced showers at GZK energies (~10<sup>19</sup> eV) deposit O(Joules) of ionisation energy in small target volumes.
- ★ The resulting near-instantaneous temperature increase and material expansion gives rise to an "acoustic shock" sound pulse.
- \* Ionisation-thermo-acoustic coupling has been demonstrated in test beam experiments.
- ★ The shower is an acoustic line-source, with resulting narrow angular spread.



### **Acoustic Detection of UHE Neutrinos**



#### **Acoustic Detection of UHE Neutrinos**

- Detailed GEANT shower simulations and acoustic signal calculations confirm this basic picture.
- ★ Note small shower-to-shower variations at high energies. This is a calorimetric detection technique that potentially offers very good energy resolution.





- \* Several hydrophone arrays already exist around the world, including in the UK.
- ★ Used mainly for characterising naval vessels.
- \* Also sensitive enough to do various studies of the feasibility of acoustic neutrino detection (but not large enough to detect expected fluxes).

## **The Enemy**



★ Weather
★ Critters ★ Traffic





### **Feasibility Tests of Acoustic Detection**



### Summary

- ★ There is currently huge interest in experiments and detection techniques that could be sensitive to UHE neutrinos (GZK energies and beyond).
- ★ GZK neutrinos are probably our best understood astrophysical source of UHE neutrinos and provide a target for future experiments.
- Observing UHE neutrinos would shed light on the mystery of the origin of UHE cosmic rays.
- **\*** The detection volumes required are huge : 10's to 100's of km<sup>3</sup>.
- Detection of the ionisation-thermo-acoustic pulses generated by UHE neutrino induced showers is a promising technique due to the very long attenuation lengths for sound in water.
- Overcoming noise and backgrounds and constructing an array capable of reconstructing shower positions and directions presents formidable obstacles.
- ★ Further experiments are required to establish the feasibility of acoustic detection.

### **BACKUP SLIDES**

### **Ultra-High Energy Cosmic Rays : Composition**



### **Ultra–High Energy Cosmic Rays : Clustering ?**

Clustering of AGASA events with  $E > 4 \times 10^{19} \text{ eV}$  :

Wyn–Evans, Ferrer, Sarkar 2003



5 doublets, 1 triplet with  $< 2.5^{\circ}$  spacing

<u>Conclusions</u> :

- No strong statistical claim for clustering or anisotropy.
- No clear correlation with sky positions of other astrophysical objects.

### **Ultra–High Energy Cosmic Rays : Cosmic Attenuation**



### **Ultra-High Energy Cosmic Rays : Sources**



### **Sources of UHE Neutrinos**

- ★ Possible astrophysical acceleration sites :
  - Gamma-ray bursts ?
  - Active galactic nuclei ?
- ★ Benchmark flux estimate : Waxman–Bahcall.



- Protons produce neutrinos (and gamma rays) in cosmic "beam dumps".
- Assume "optically thin" targets such that the observed proton cosmic ray energy density is a good measure of source activity. If this isn't the case, the WB bounds could be exceeded.
- Then by considering the amount of energy that can be converted into neutrinos :



### **Simulating Acoustic Pulses**

★ Use the propagation model described in Lehtinen *et al.* (Astropart. Phys. **17** (2002) 279), which in turn relies on the formalism developed in Learned (Phys. Rev. **D19** (1979) 3293).

$$p(\vec{r},t) = \int_{V} \rho_{E}(\vec{r}) G(|\vec{r}-\vec{r'}|,t) d^{3}\vec{r'}$$
  
thermal energy density pulse due to point–like energy deposition  

$$\beta = \text{coeff. of thermal expansion} \approx 1.2 \times 10^{-3} \text{ K}^{-1}$$

$$G(r,t) = -\frac{\beta}{4 \pi C_{p}} \frac{(t-r/c)}{r \sqrt{2 \pi \tau^{3}}} \exp(-(t-r/c)^{2}/(2 \tau^{2}))$$

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$$\tau = \sqrt{r/(\omega_{0}c)}$$

### **Test Beam Results**





#### Sulak et al., NIM 161 (1979) 203

- ★ Results of this simulation agree within a factor of 2.
- Inhomogeneities in energy deposition not taken into account.
- Other details of the experimental arrangement not known.
- ★ Probably OK.

