

# New results for VHEeP

Max-Planck-Institut für Physik, 2 June 2017

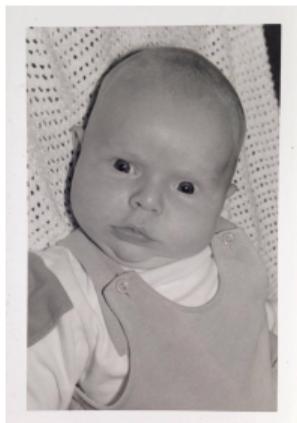
Fearghus Keeble, UCL



1992



1992



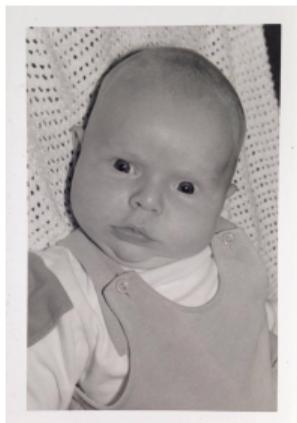


Massive increase in the  
understanding of QCD



1992

2007



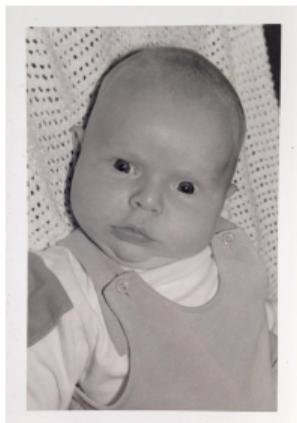


Massive increase in the understanding of QCD



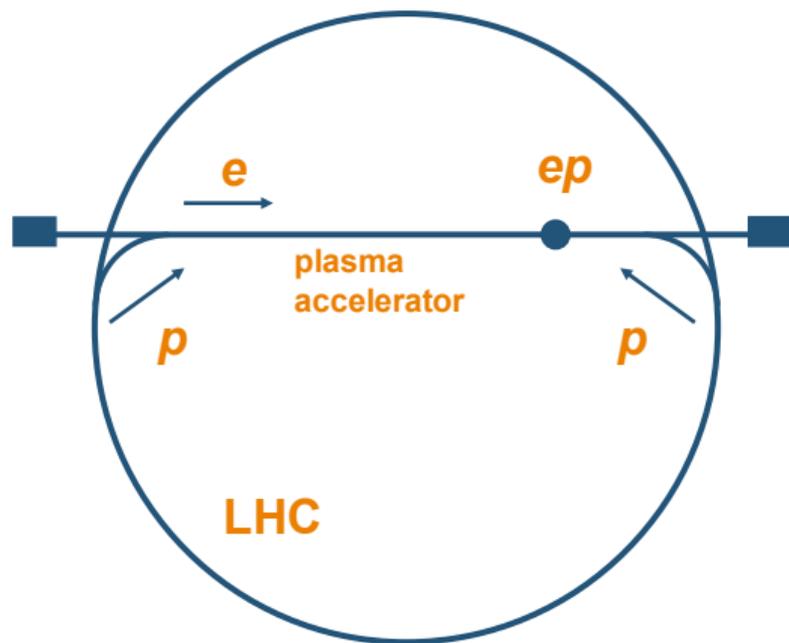
1992

2007



Massive increase in hair



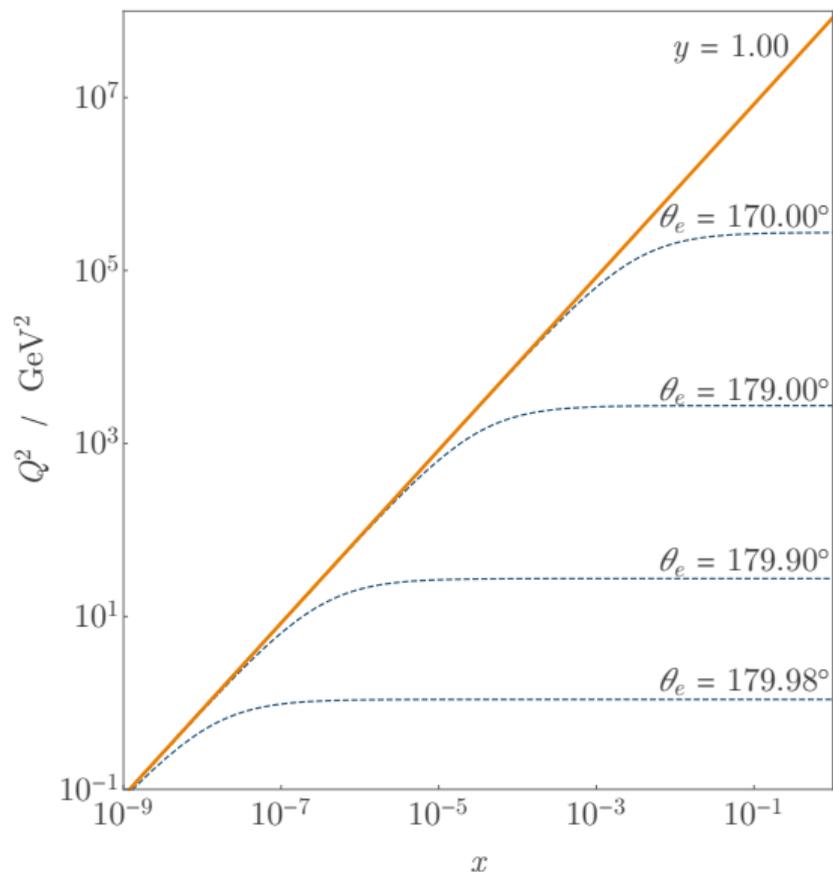


$$E_p = 7 \text{ TeV}$$

$$E_e = 3 \text{ TeV}$$

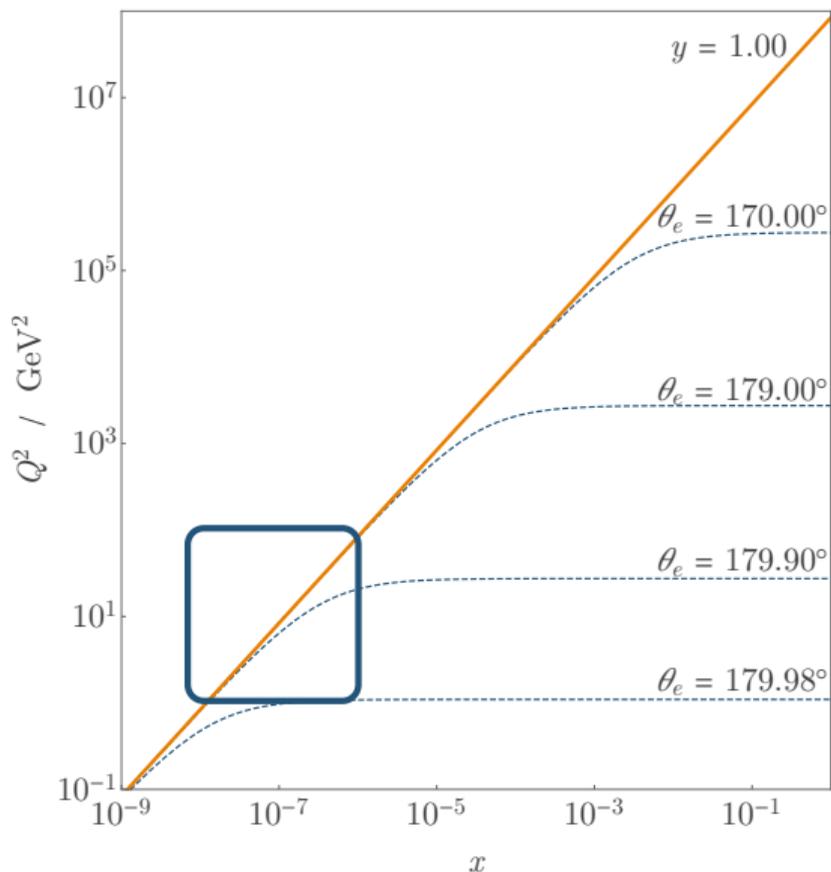
$$\sqrt{s} \simeq 9 \text{ TeV}$$

I will give an overview of the VHEeP kinematics as well as an update on some of the plots from [Allen and Matthew's paper](#)



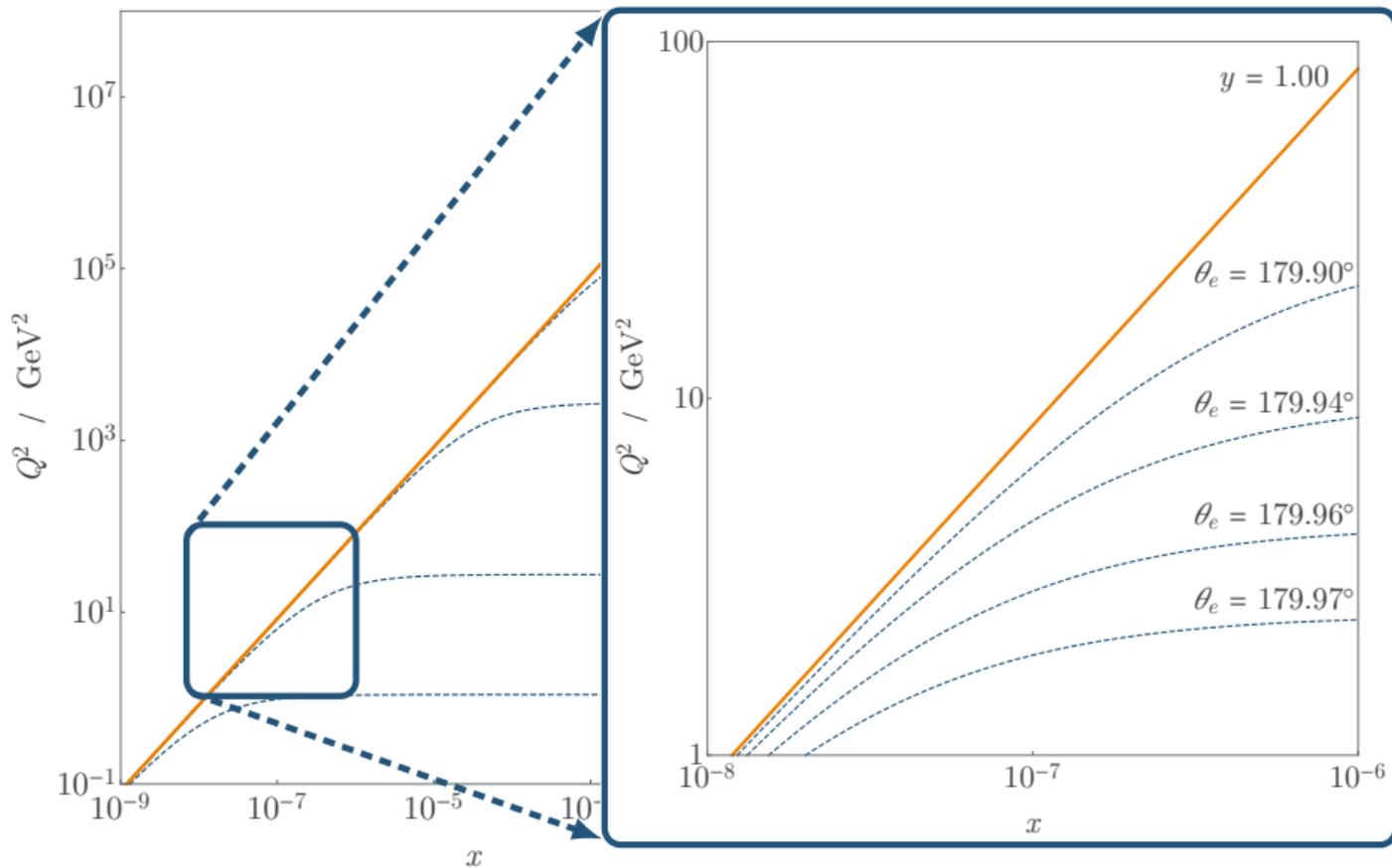
$$Q^2(x, \theta_e) = sx \cdot \frac{E_e}{E_e + xE_p \tan^2(\theta_e/2)}$$

- Post-collision electrons in the region of interest will be collinear or near-collinear with the electron beam.



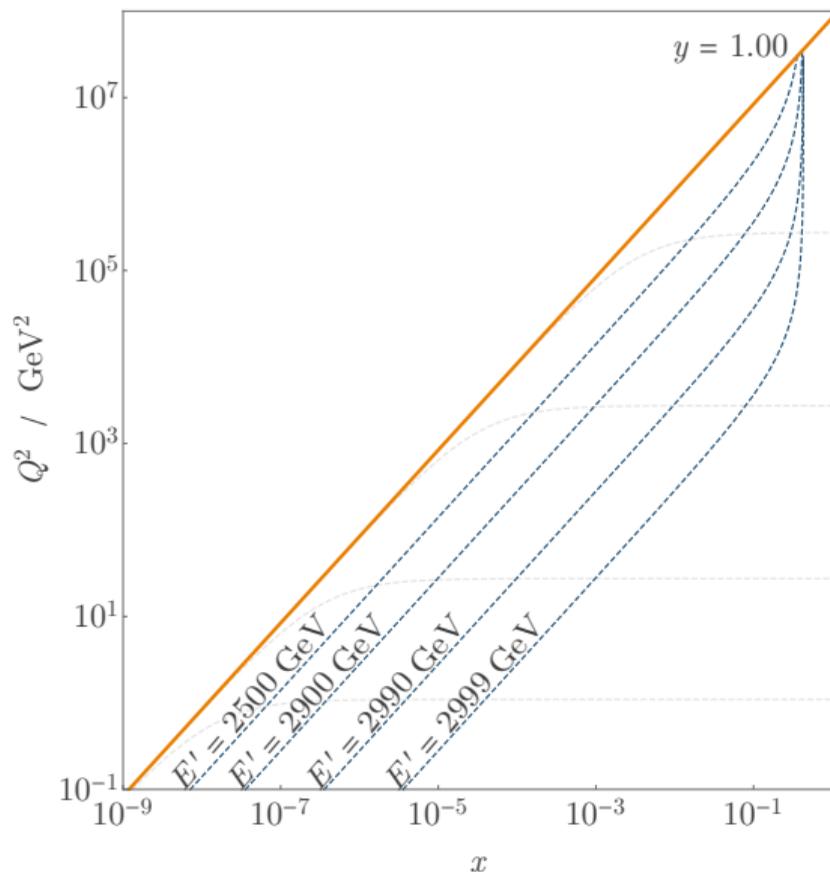
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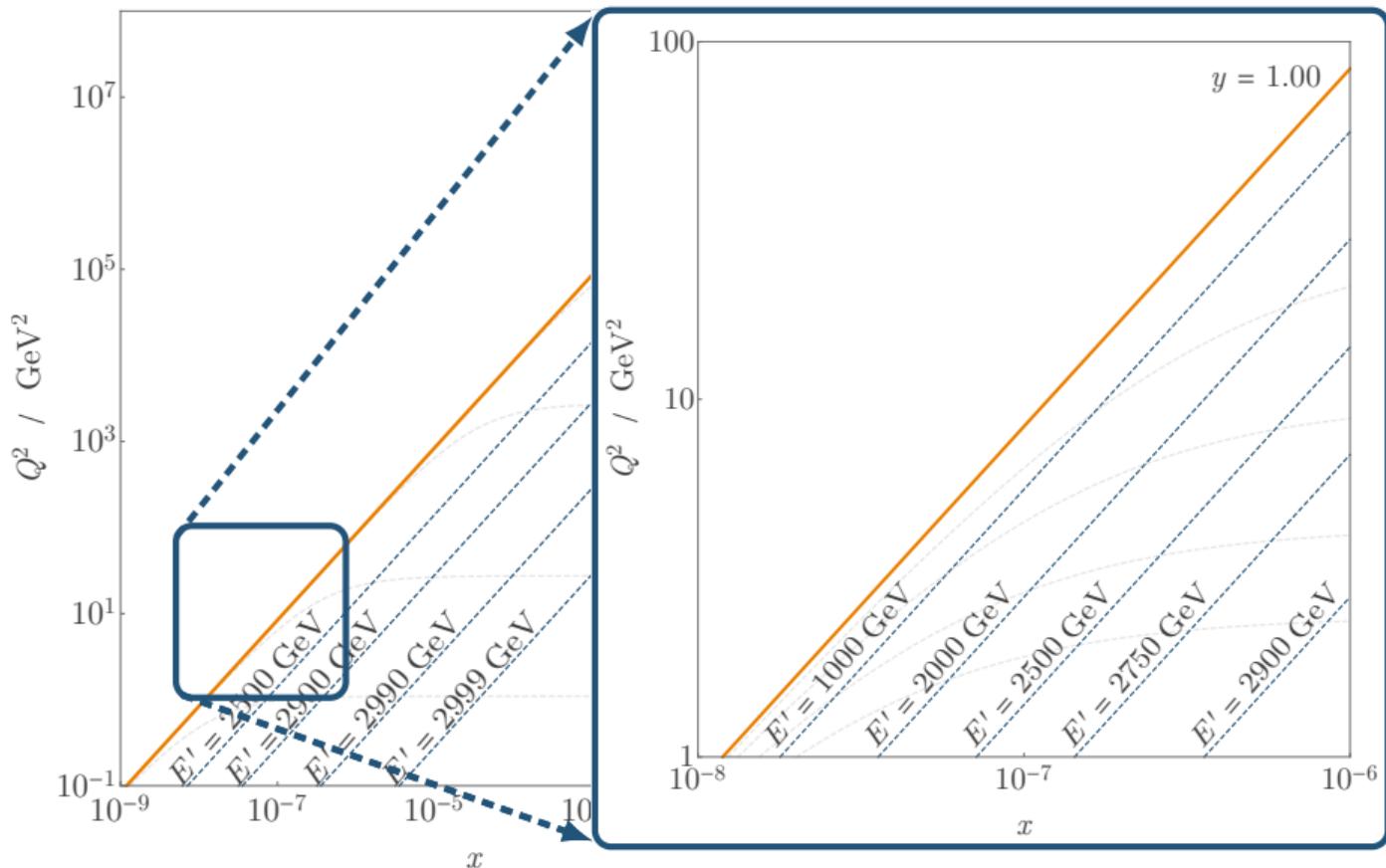
$$\frac{E_e}{x E_p \tan^2(\theta_e/2)}$$

in the region of  
or near-collinear



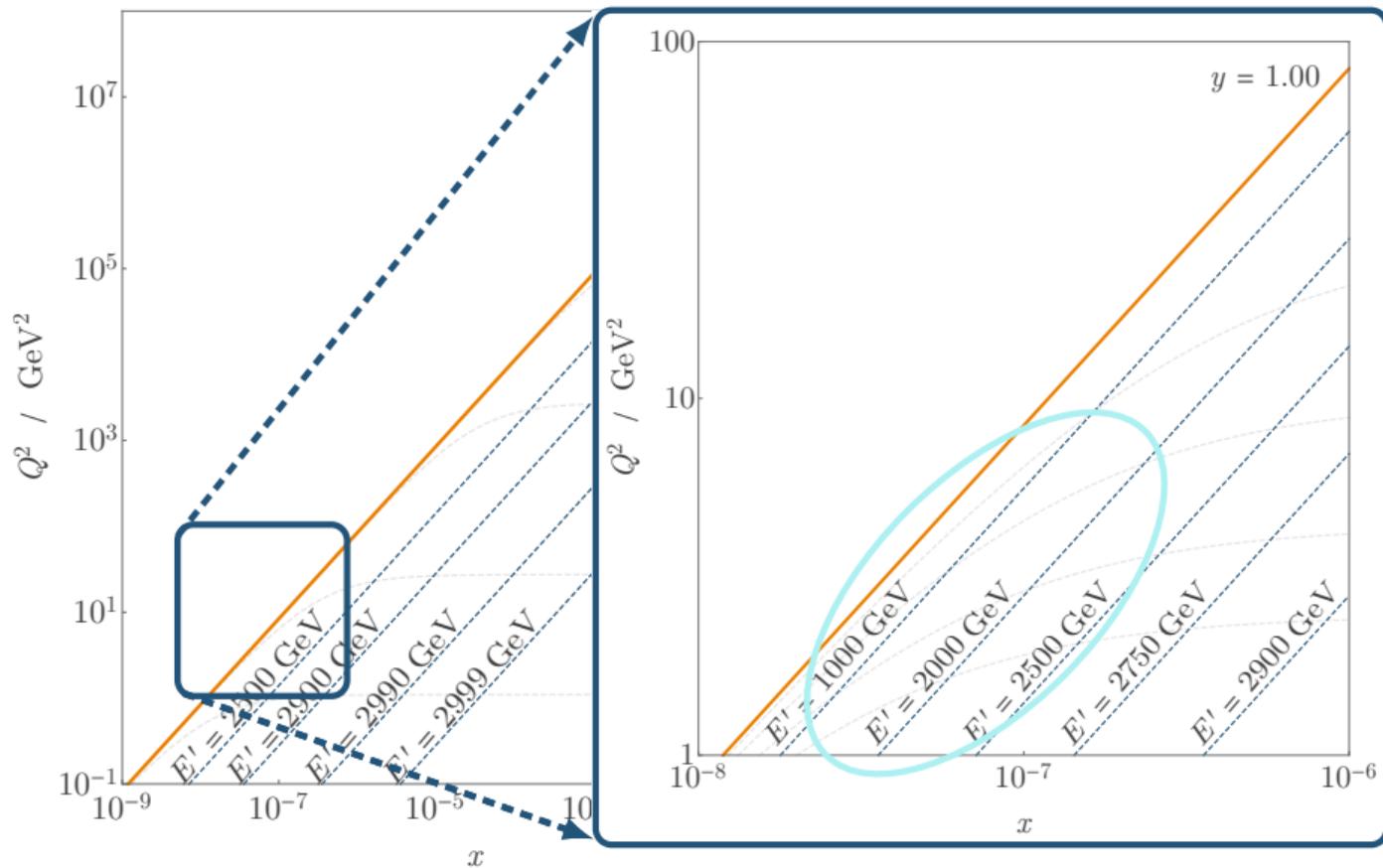
$$Q^2(x, E') = s x \cdot \frac{E_e - E'}{E_e - x E_p}$$

- Post-collision electrons in the region of interest can have very different energies to the beam.



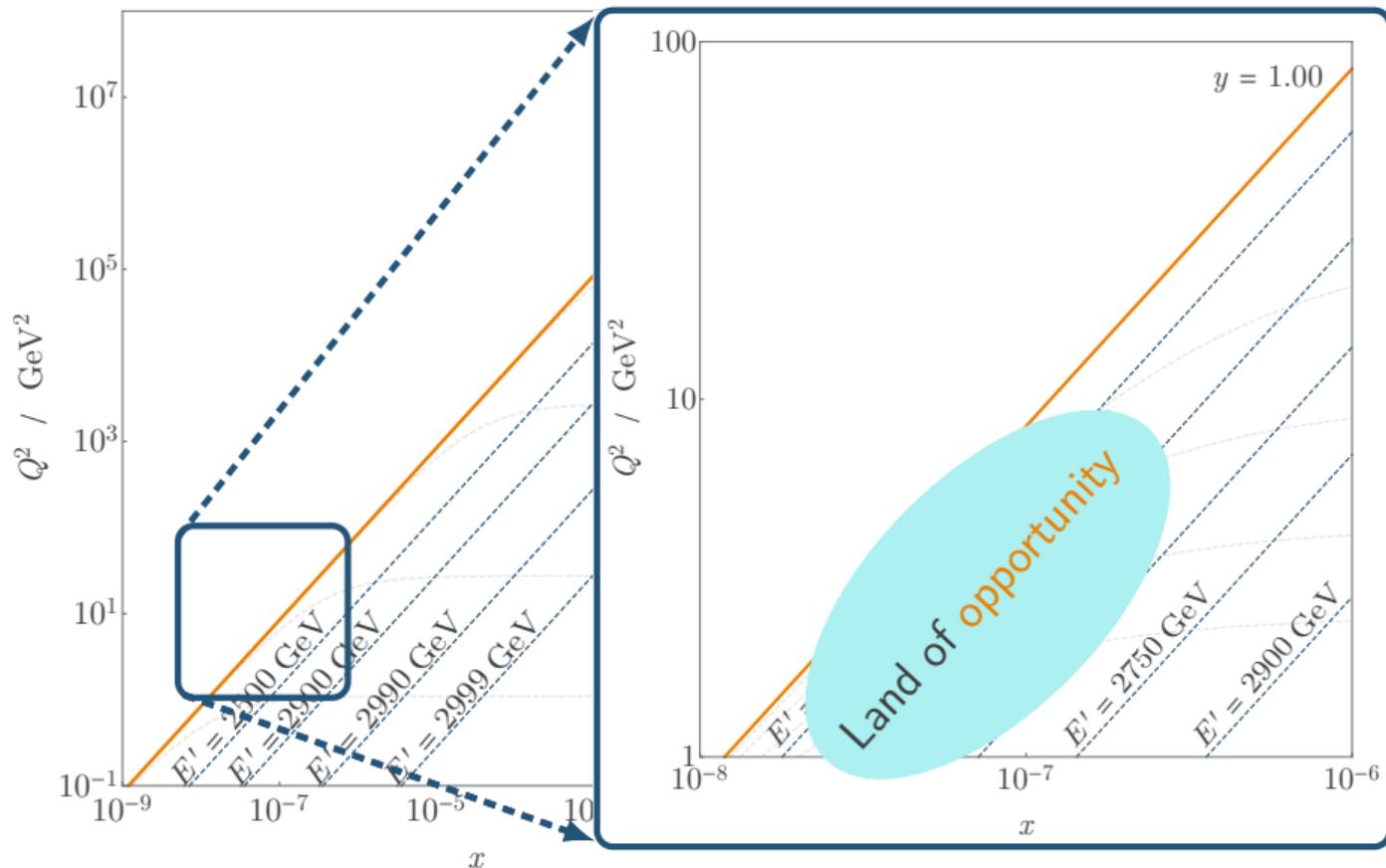
$$\frac{E_e - E'}{E_e - xE_p}$$

in the region of  
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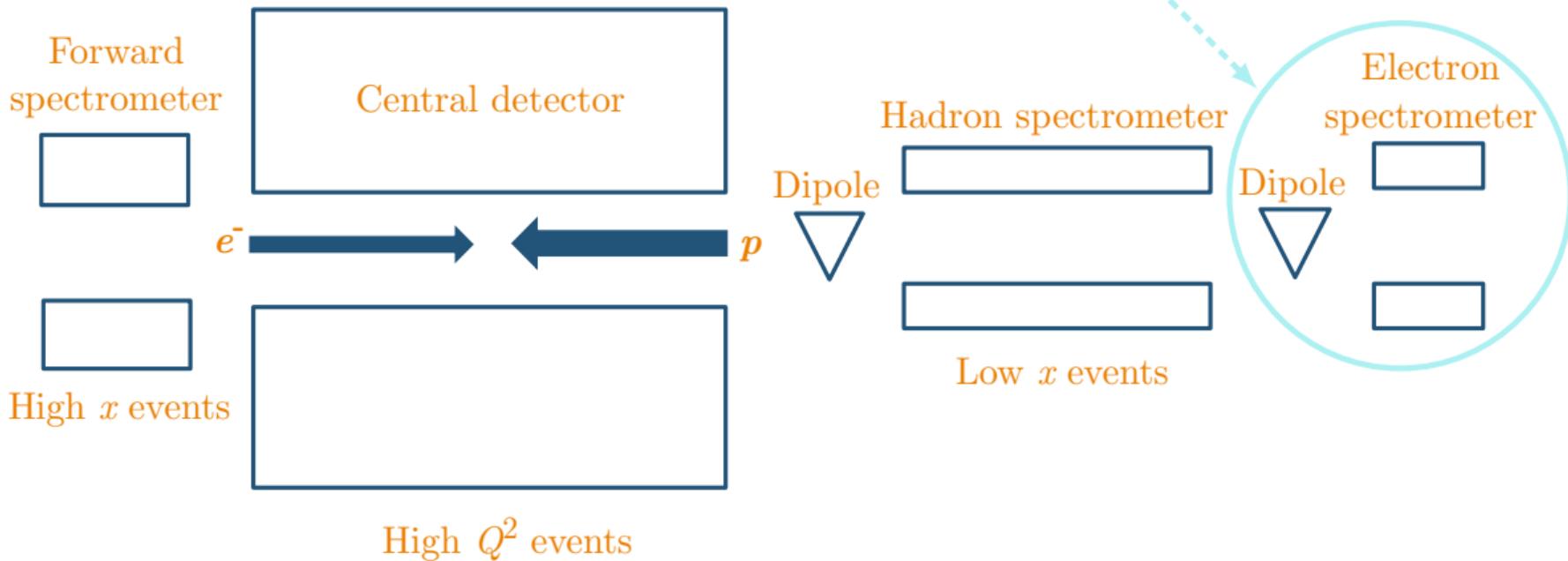
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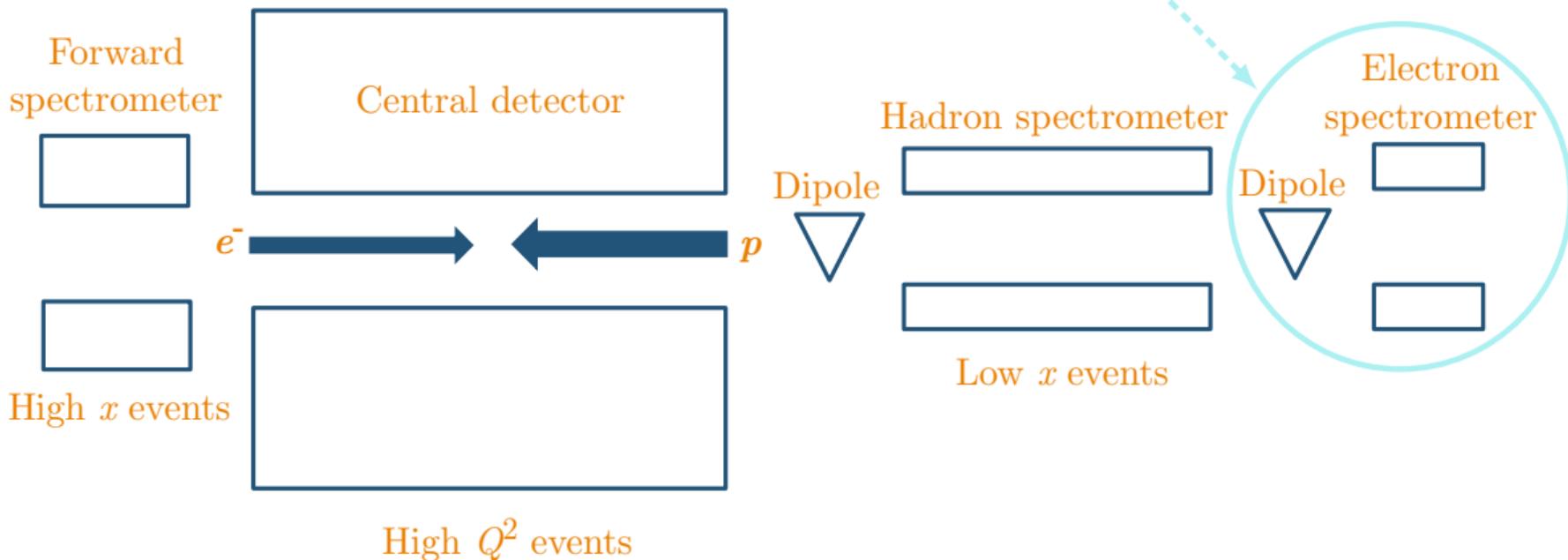
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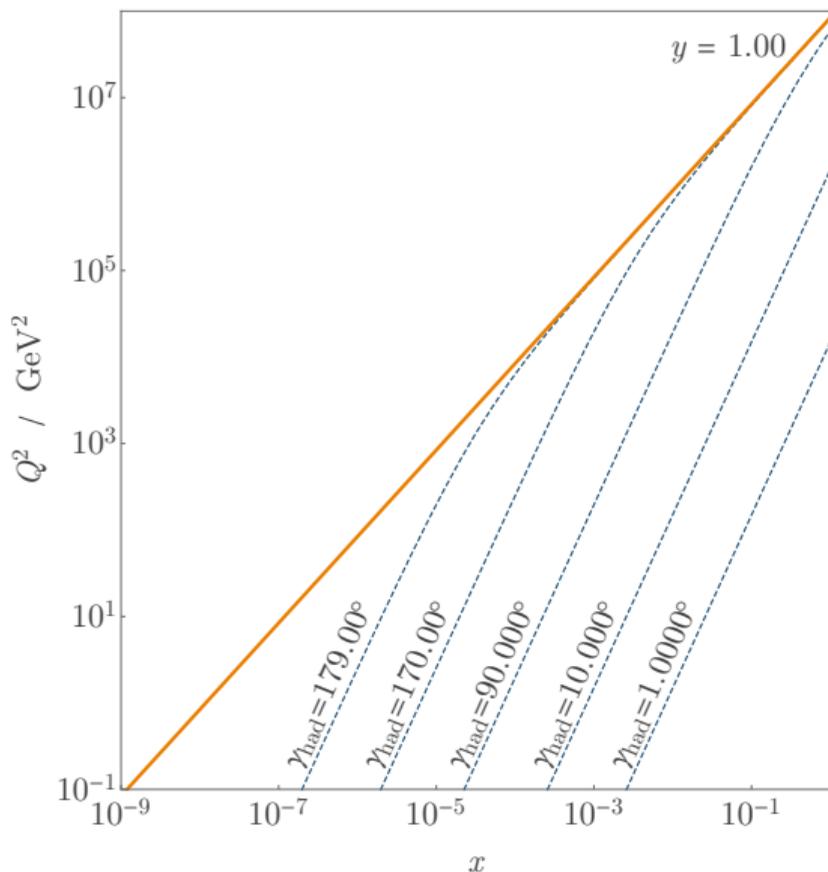
Large  $\Delta E_e$  allows separation of scattered electrons.



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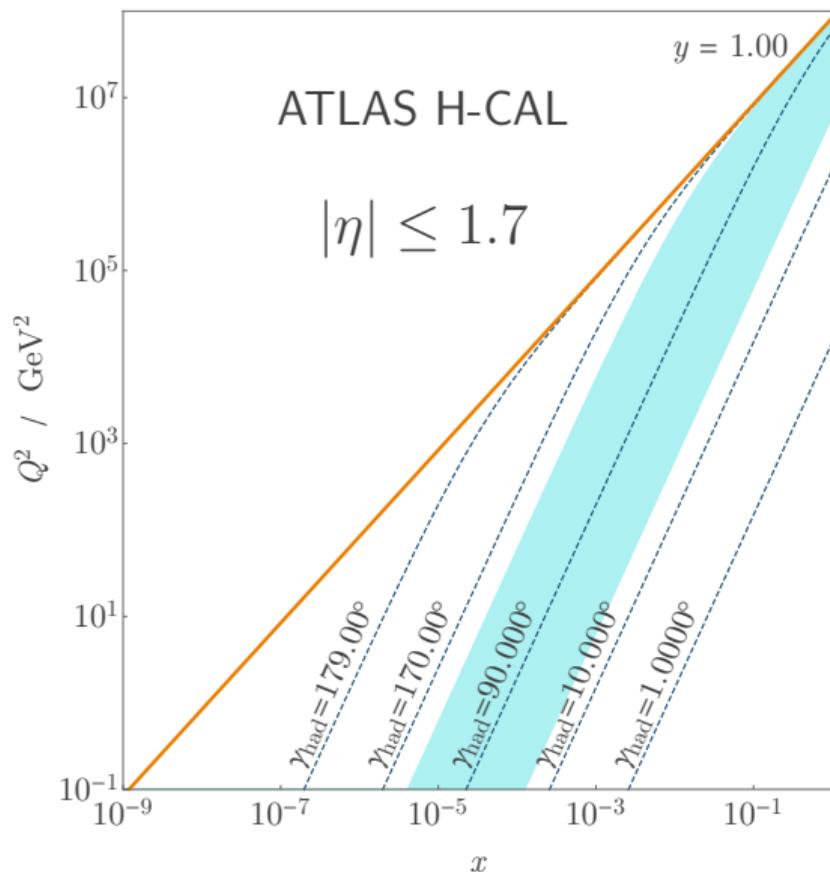


WHAT ABOUT THE HADRONIC FINAL STATE?



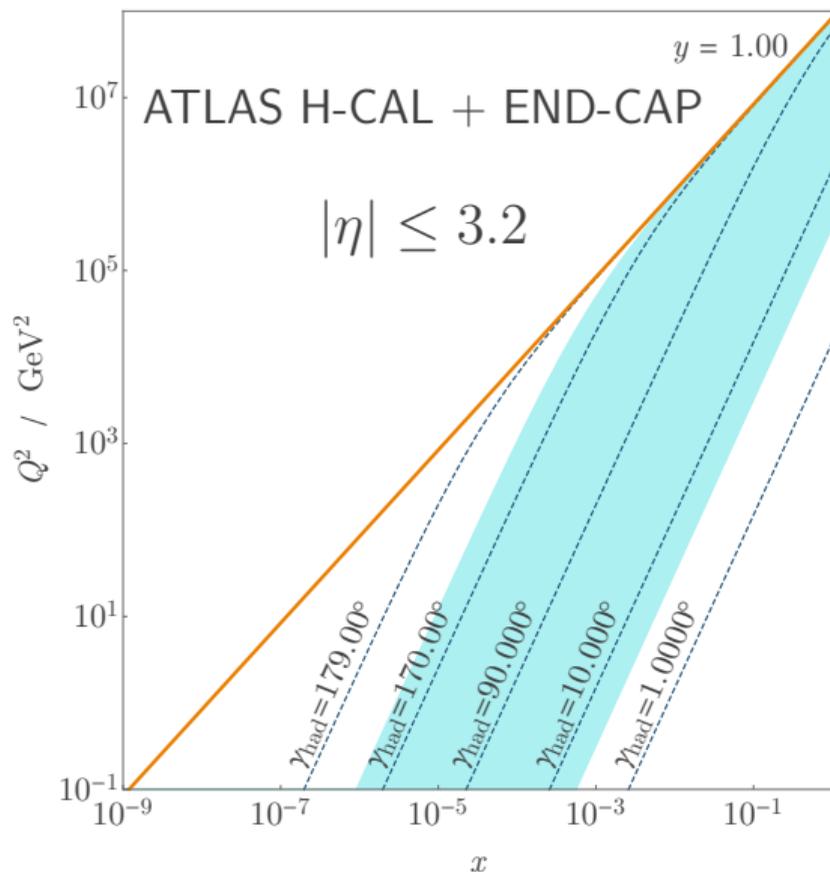
$$Q^2(x, \gamma_{\text{had}}) = sx \cdot \frac{x E_p}{x E_p + E_e \cot^2(\gamma_{\text{had}}/2)}$$

- Post-collision **hadrons** in the region of interest will be collinear or near-collinear with the **electron** beam.



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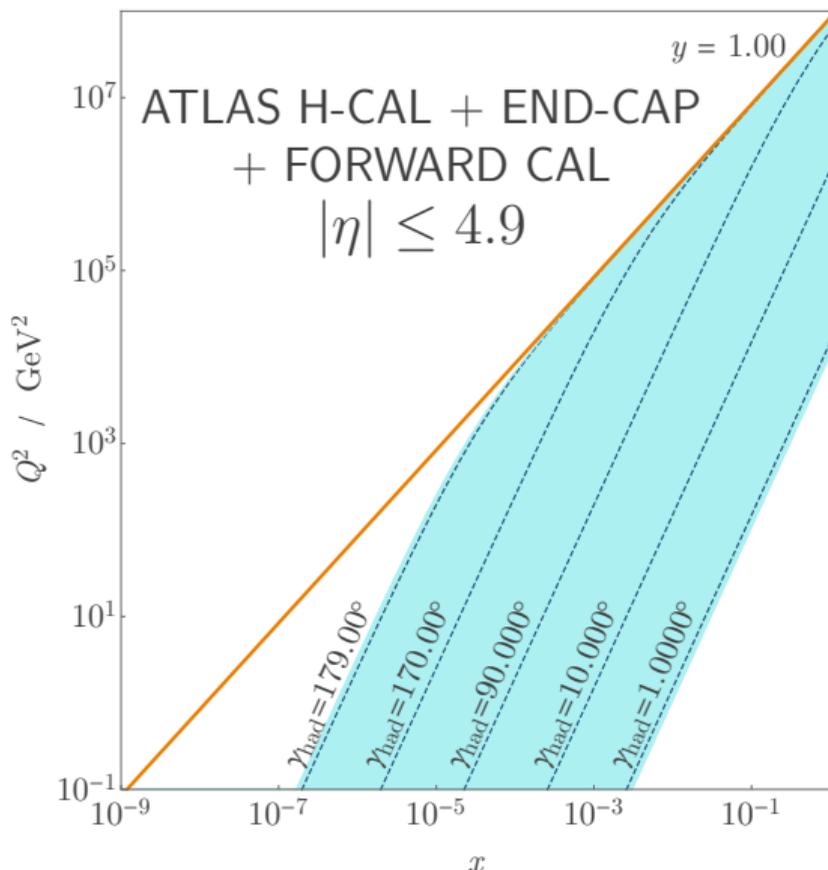
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ATLAS Collab., J. Instrum., 3, 08, 2008

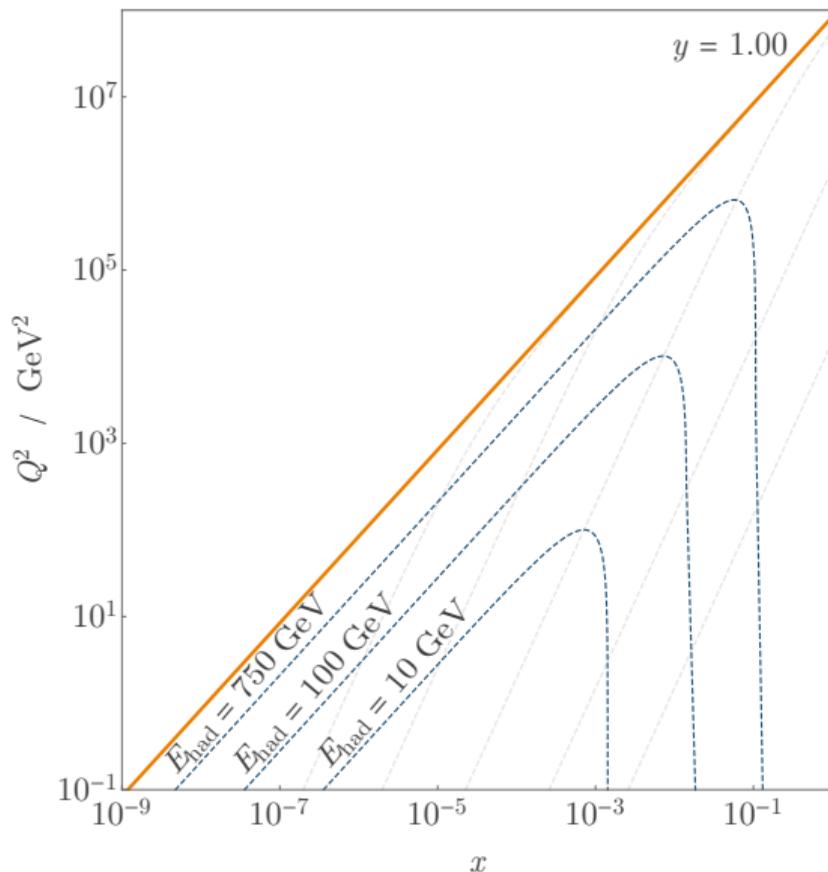
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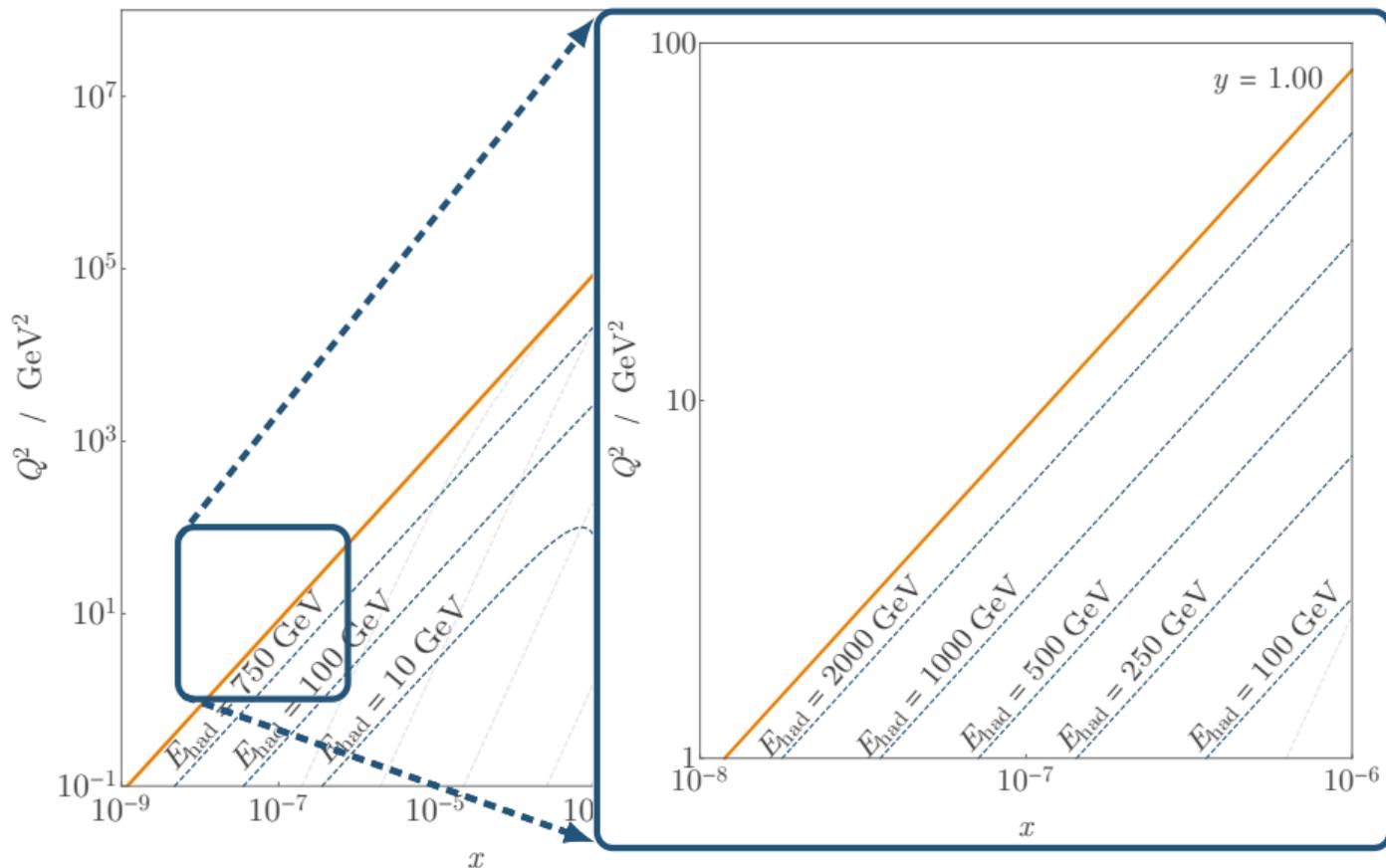
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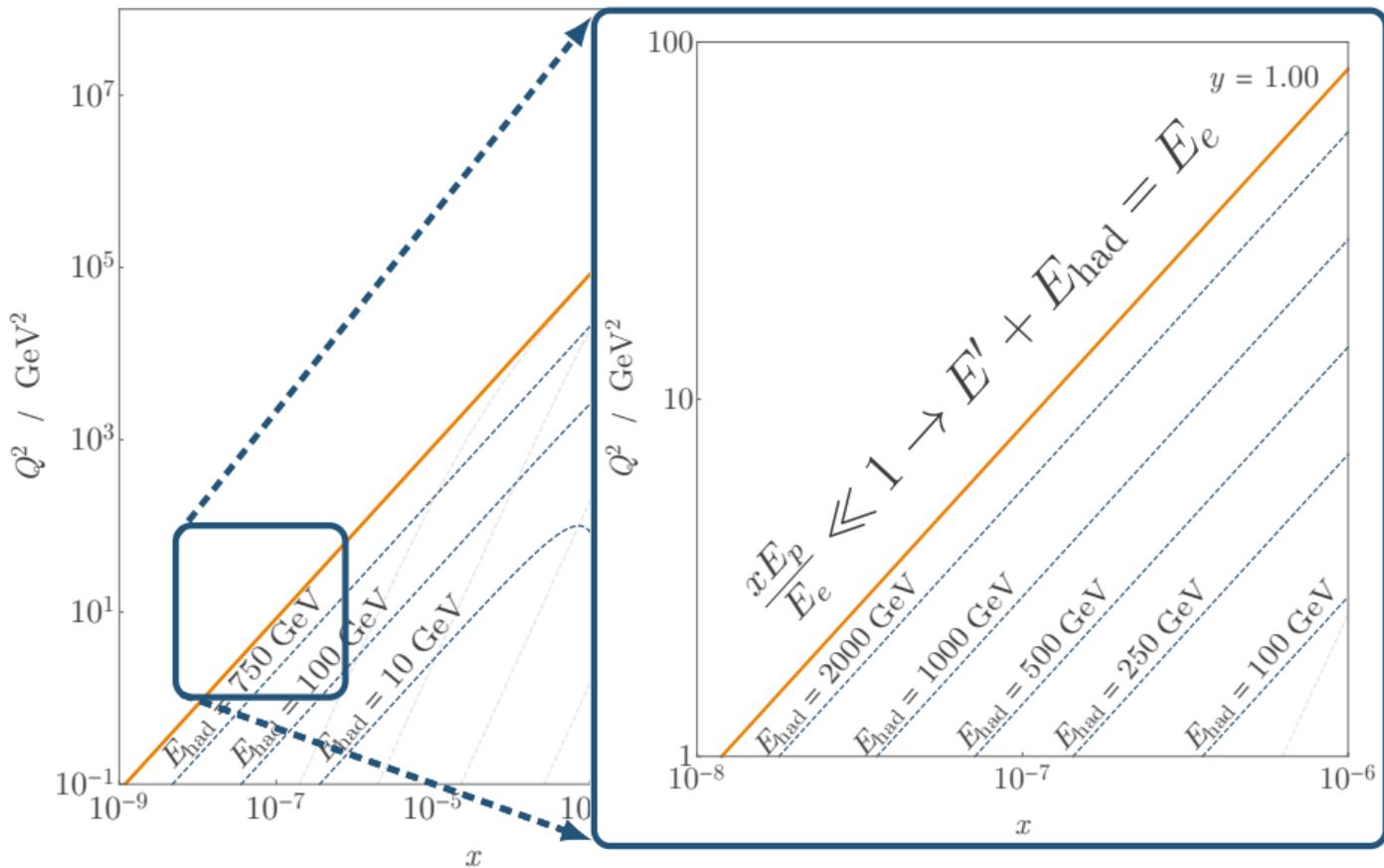
$$Q^2(x, E_{\text{had}}) = s x \cdot \frac{x E_p - E_{\text{had}}}{x E_p - E_e}$$

- Post-collision, the struck parton can be very energetic in the region of interest.



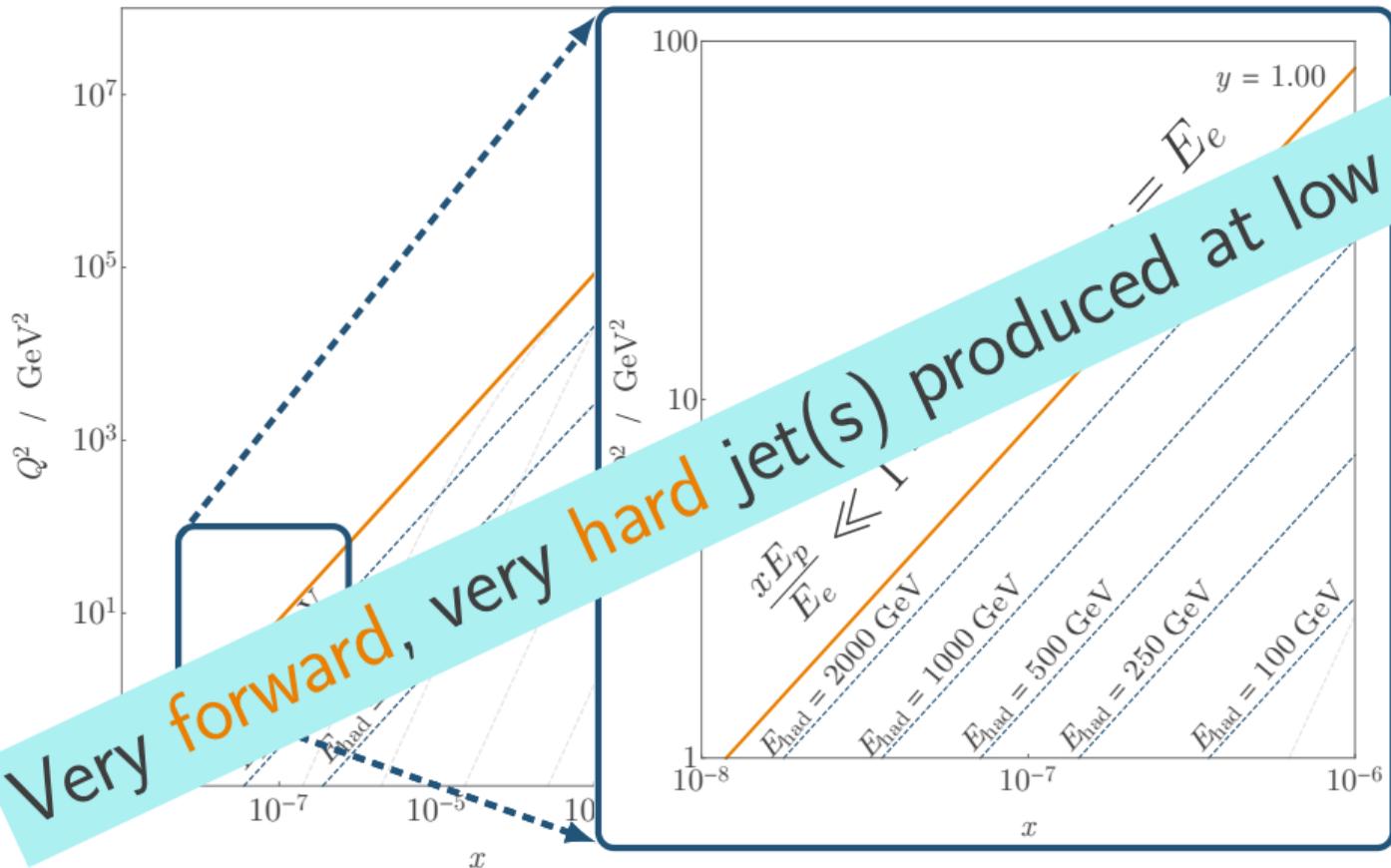
$$\frac{x E_p - E_{\text{had}}}{x E_p - E_e}$$

Each parton can be  
region of interest.



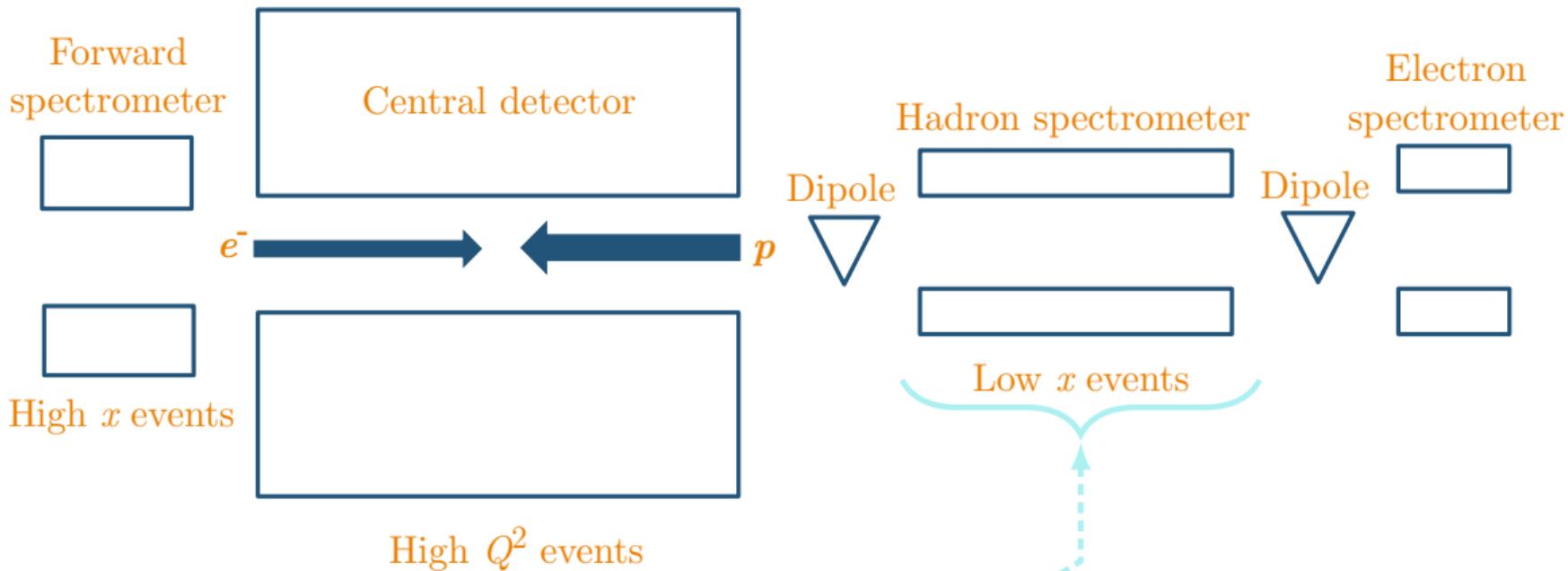
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k parton can be  
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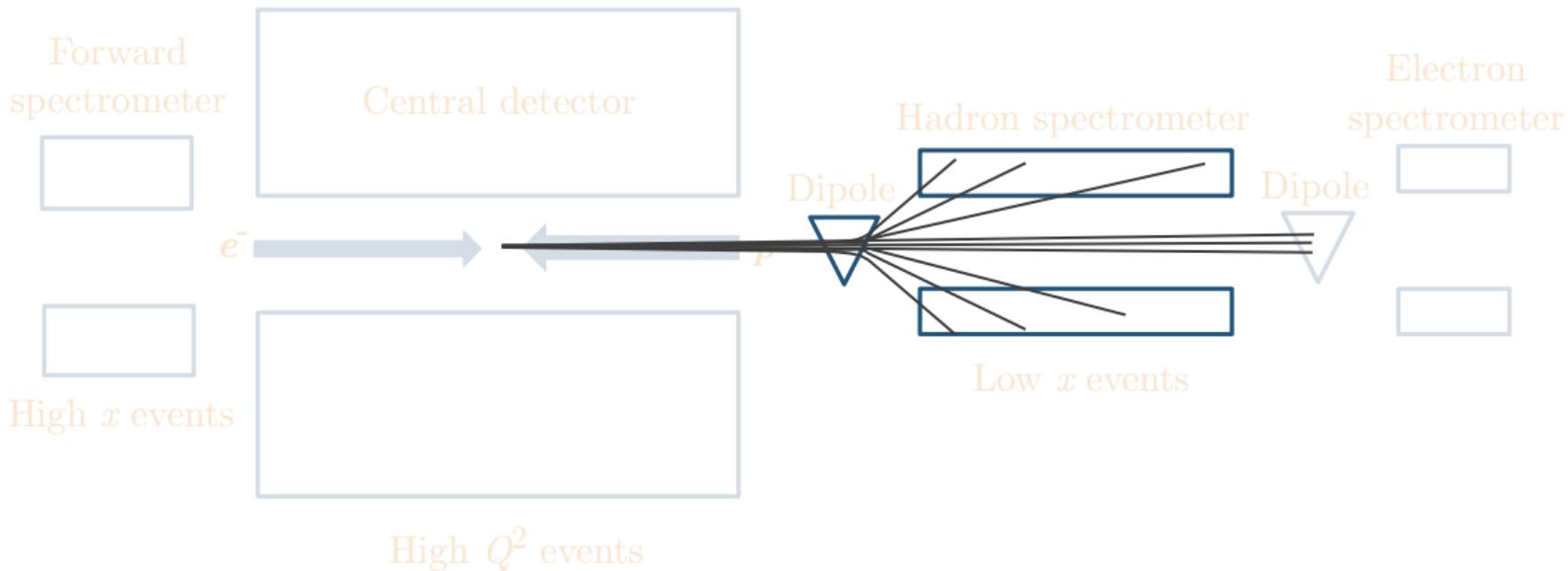


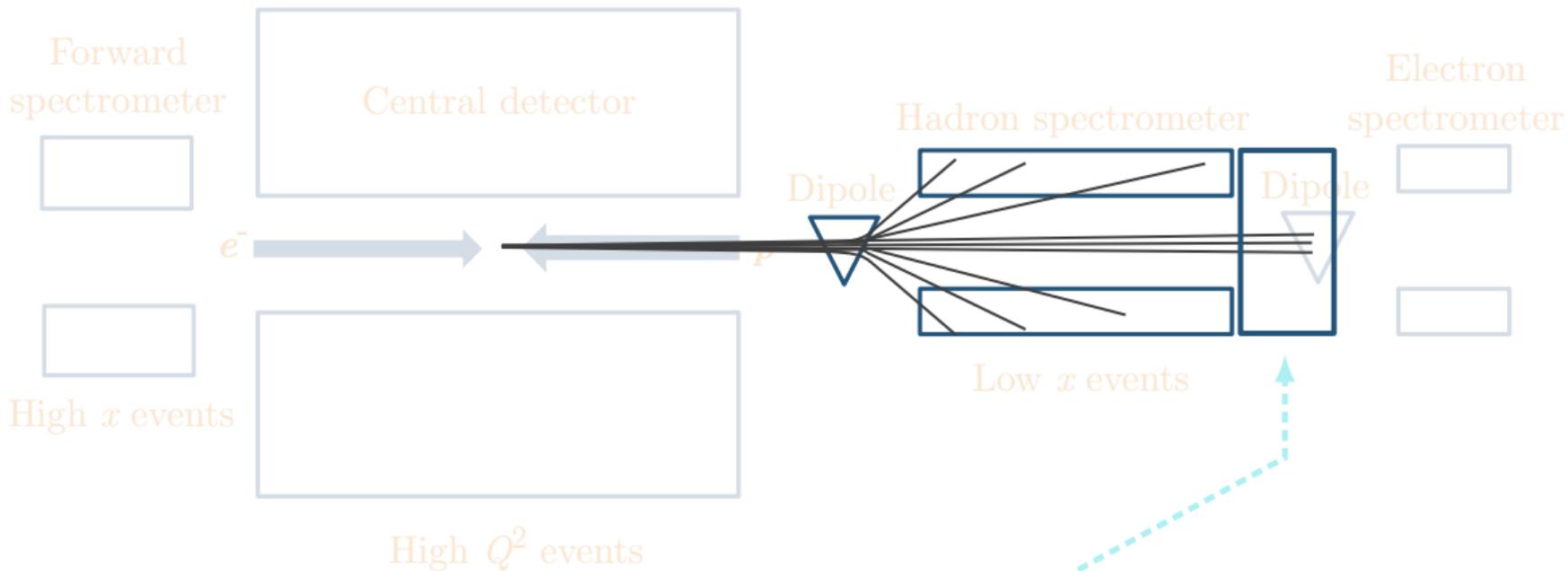
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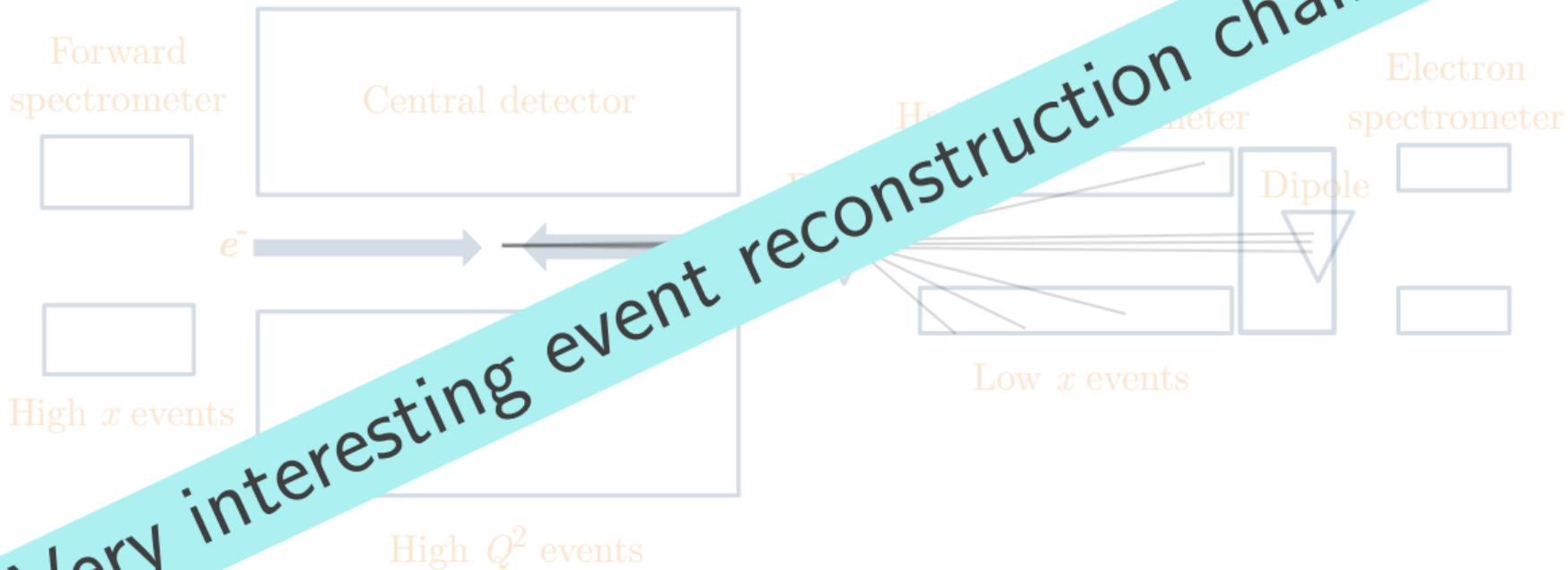


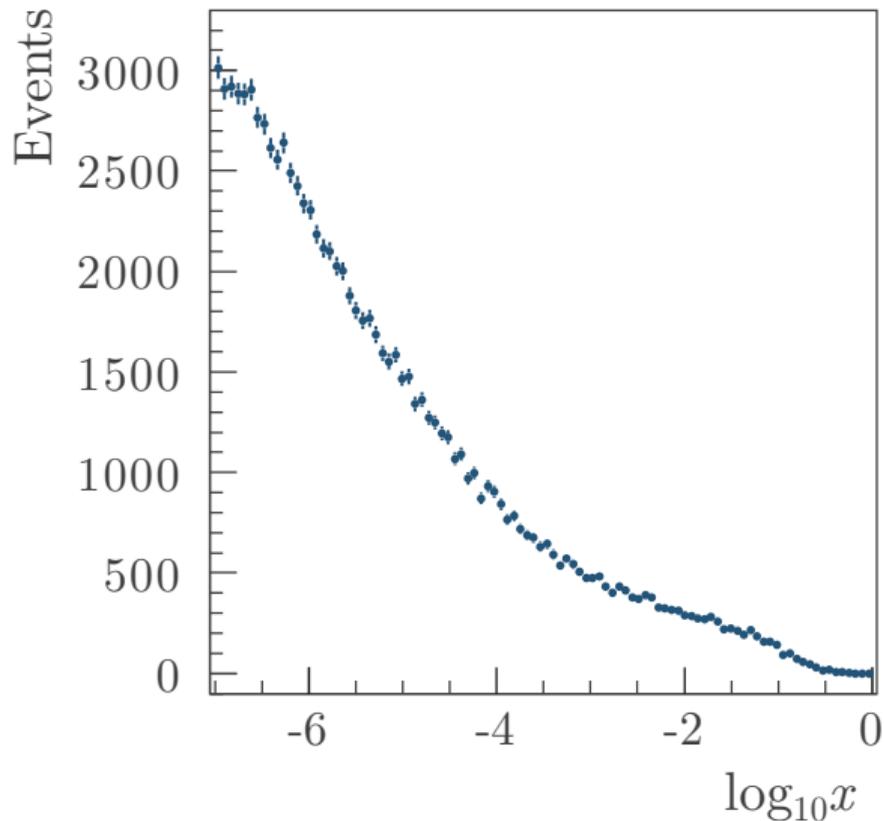
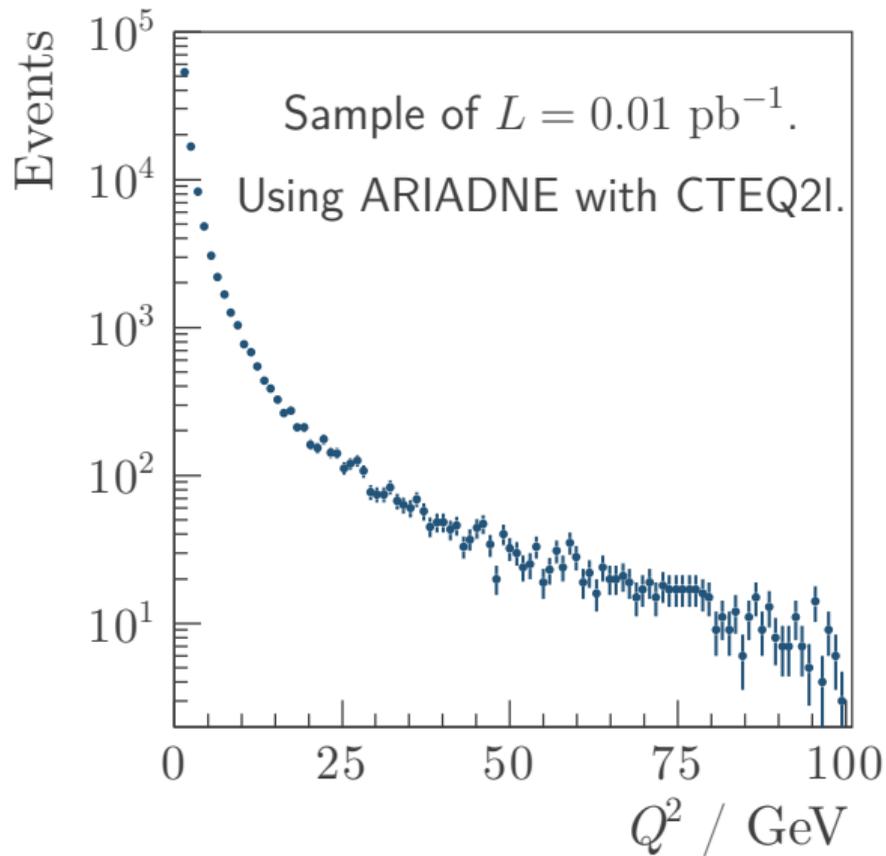
Is this the right choice for a boosted high energy jet?

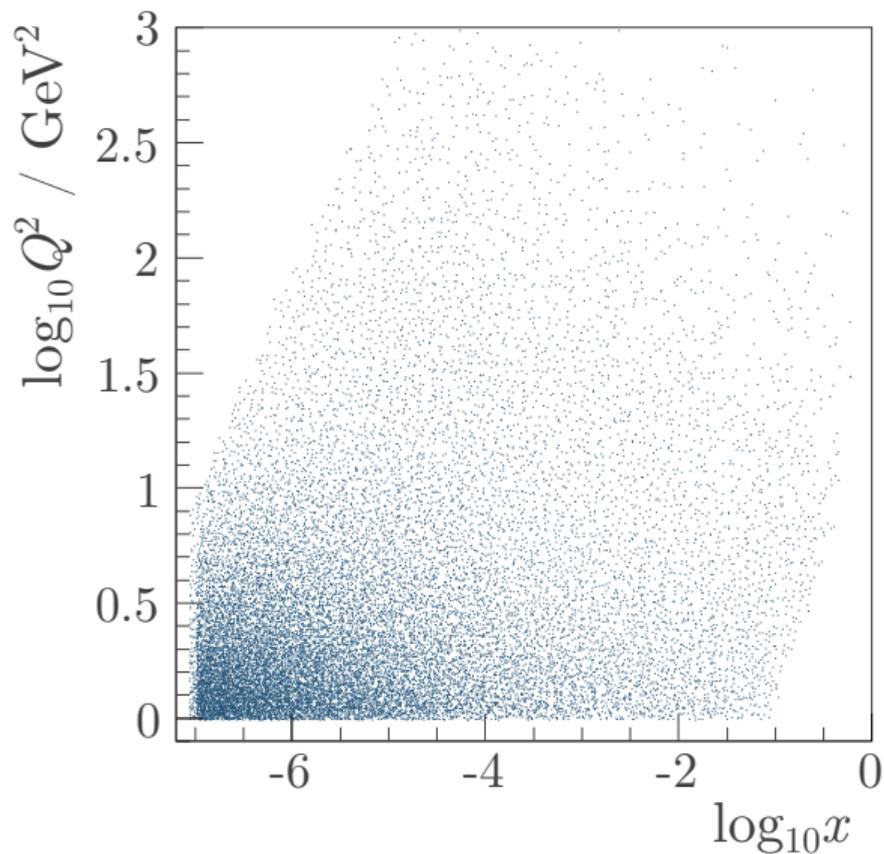
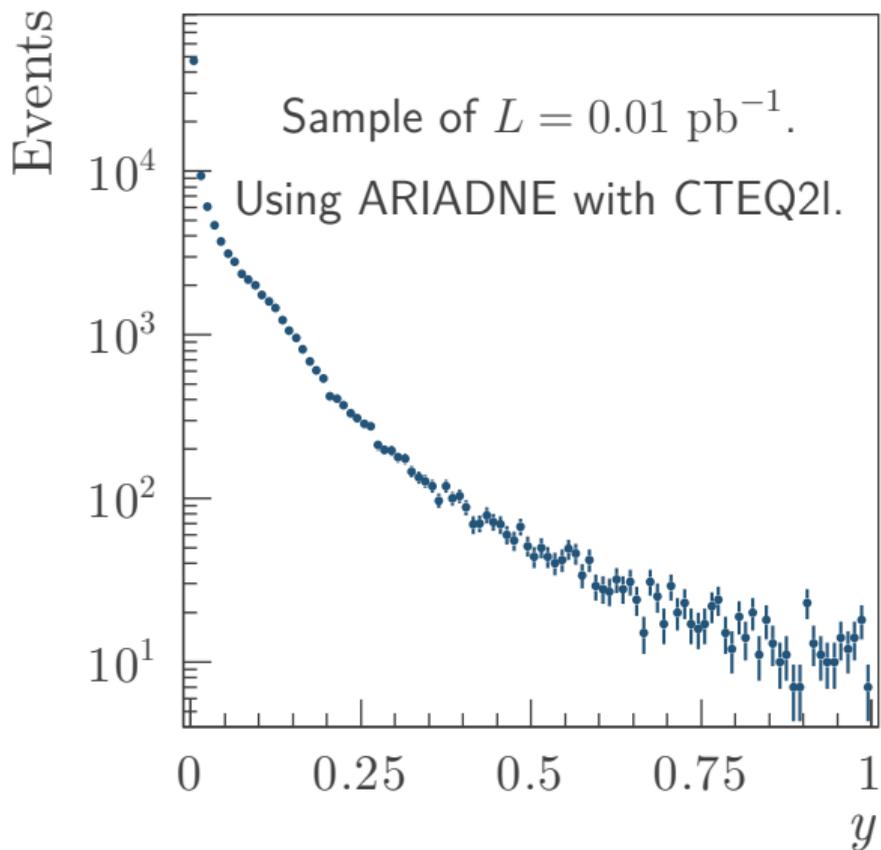




Zero degree calorimeter needed for neutral hadrons.

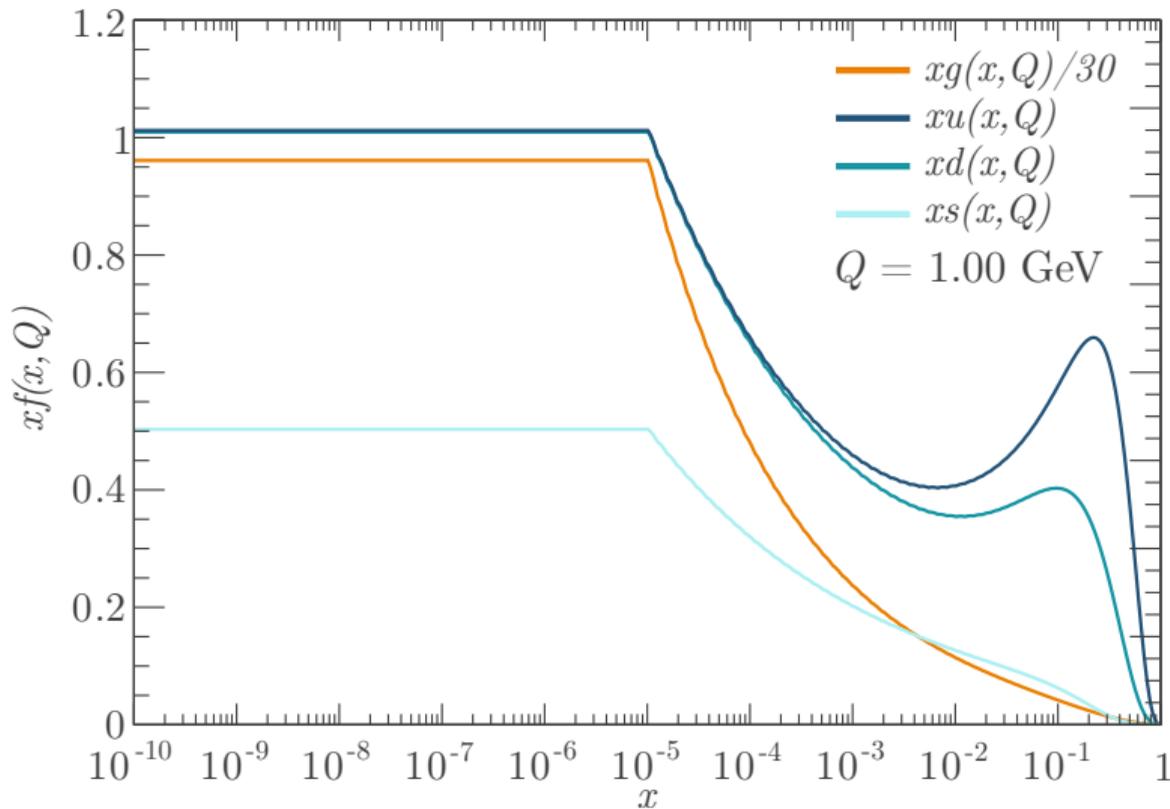




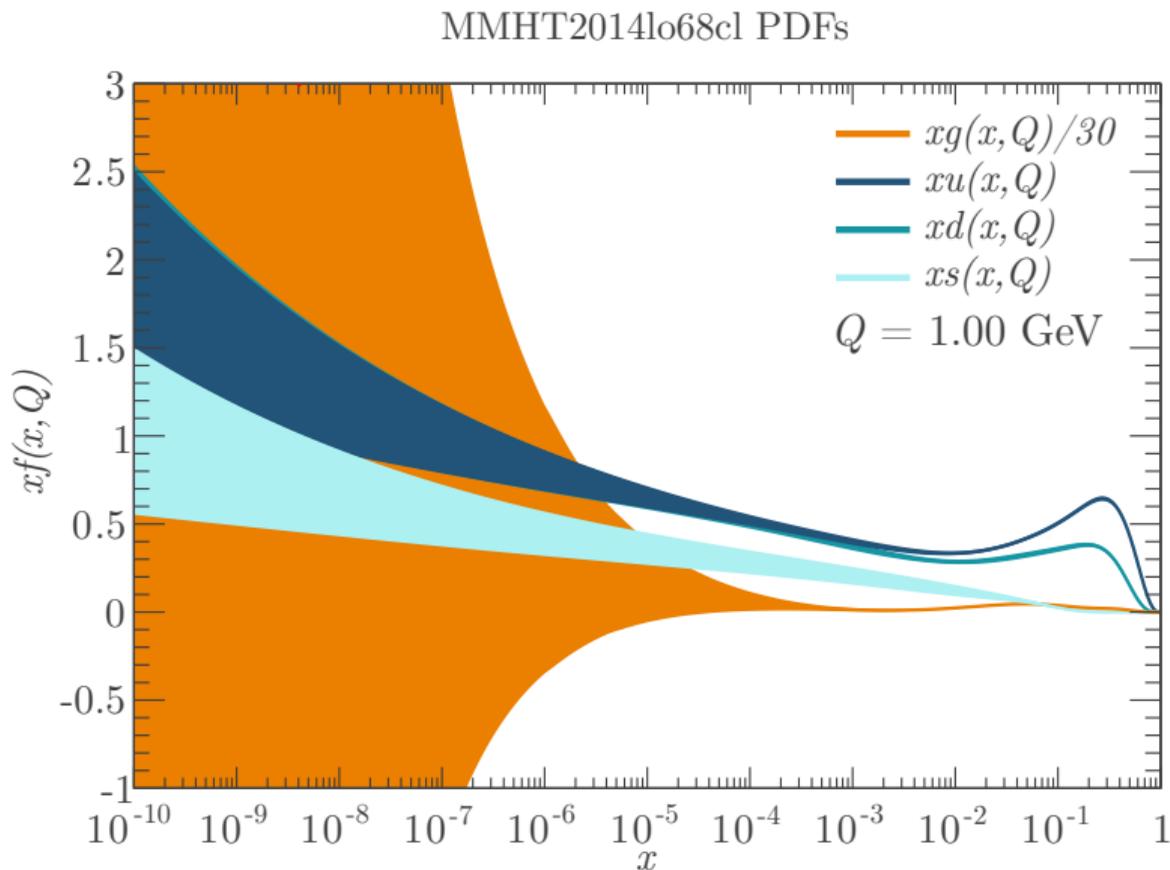


## CTEQ41 PDFs

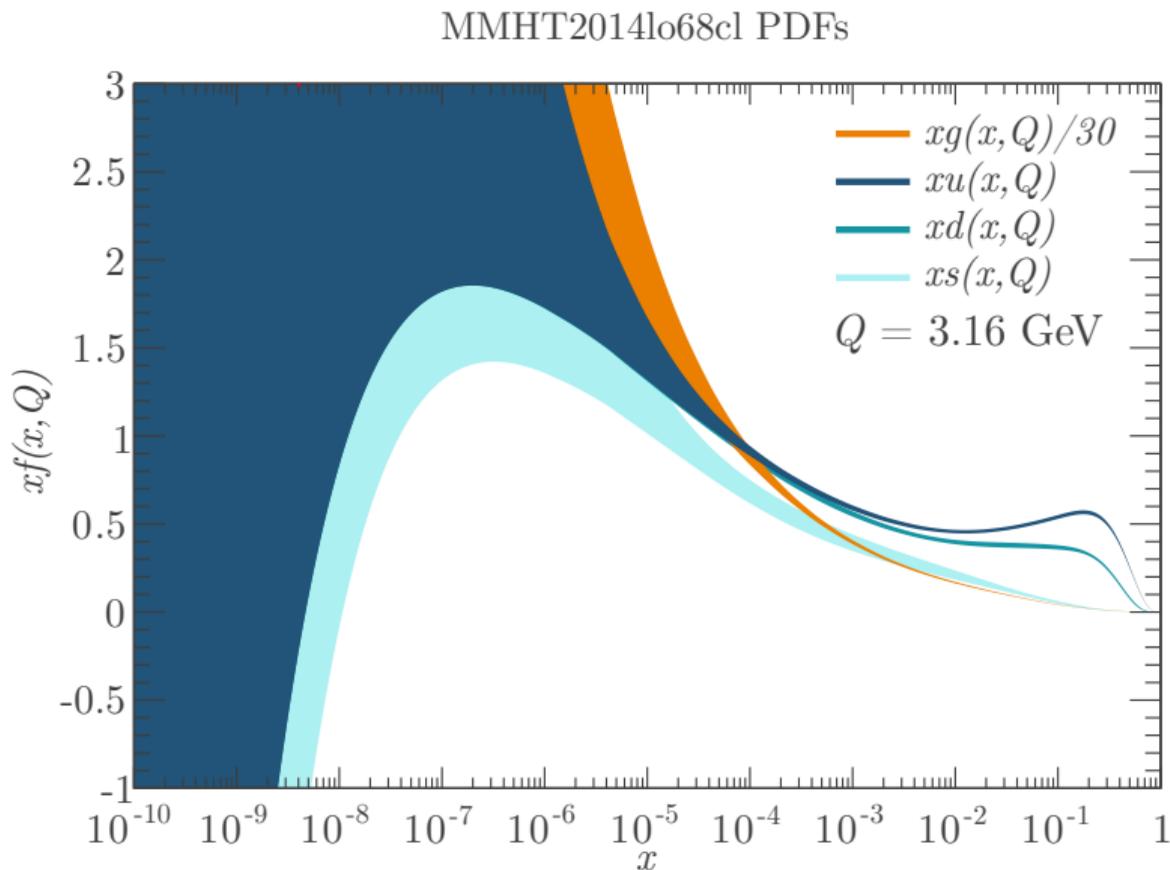
- CTEQ21 was not available as an LHAPDF file but we can look at CTEQ41 and hope they are similar.
- Suggests that the low  $x$  weighting of Matthew and Allen's results was not high enough.
- Can we do better with more modern PDFs and more modern generators?



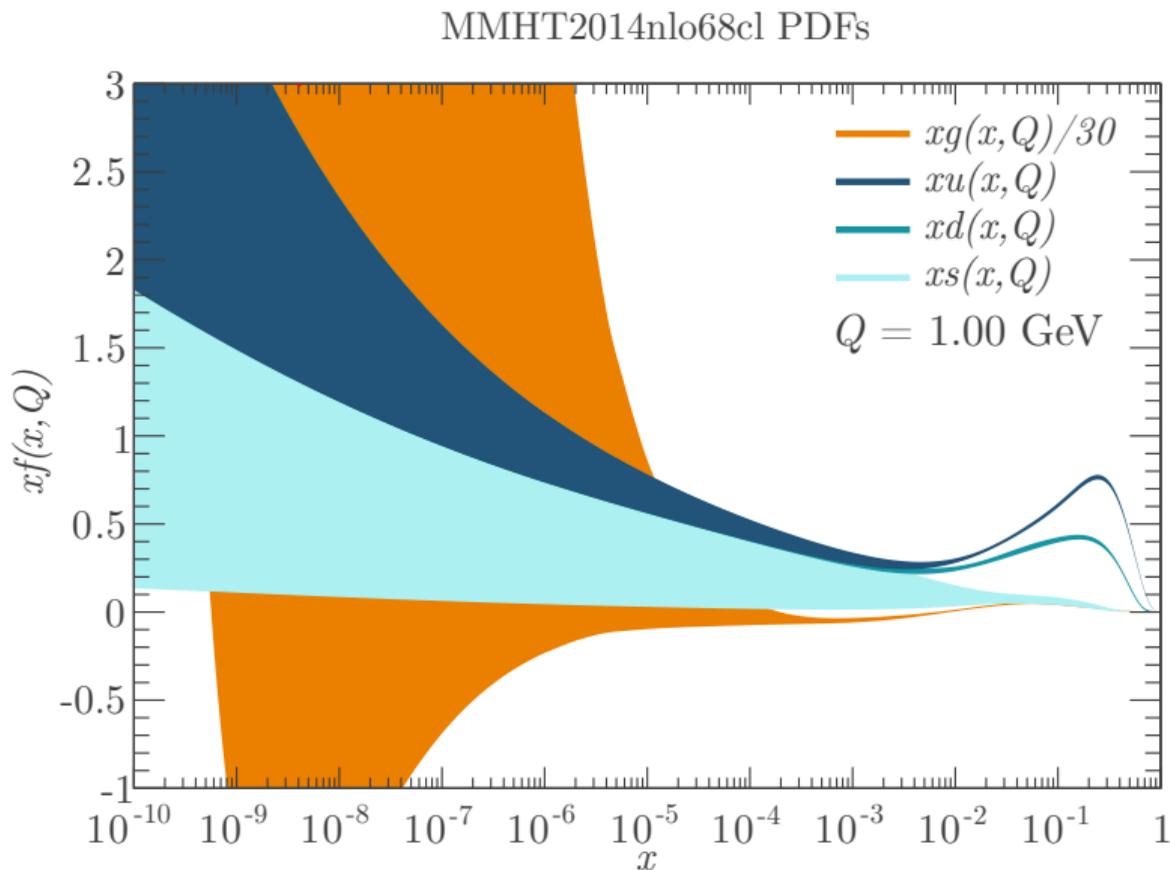
- As a UCL student, my first instinct is to look at MMHT2014.
- The bands correspond to Hessian 68% CLs.
- Below the data the line is extrapolated linearly in  $\ln(xf(x, Q))$  so ends up looking like a power law on this log-linear plot (CTEQ do the same now).
- The uncertainty is very large in the region of interest.



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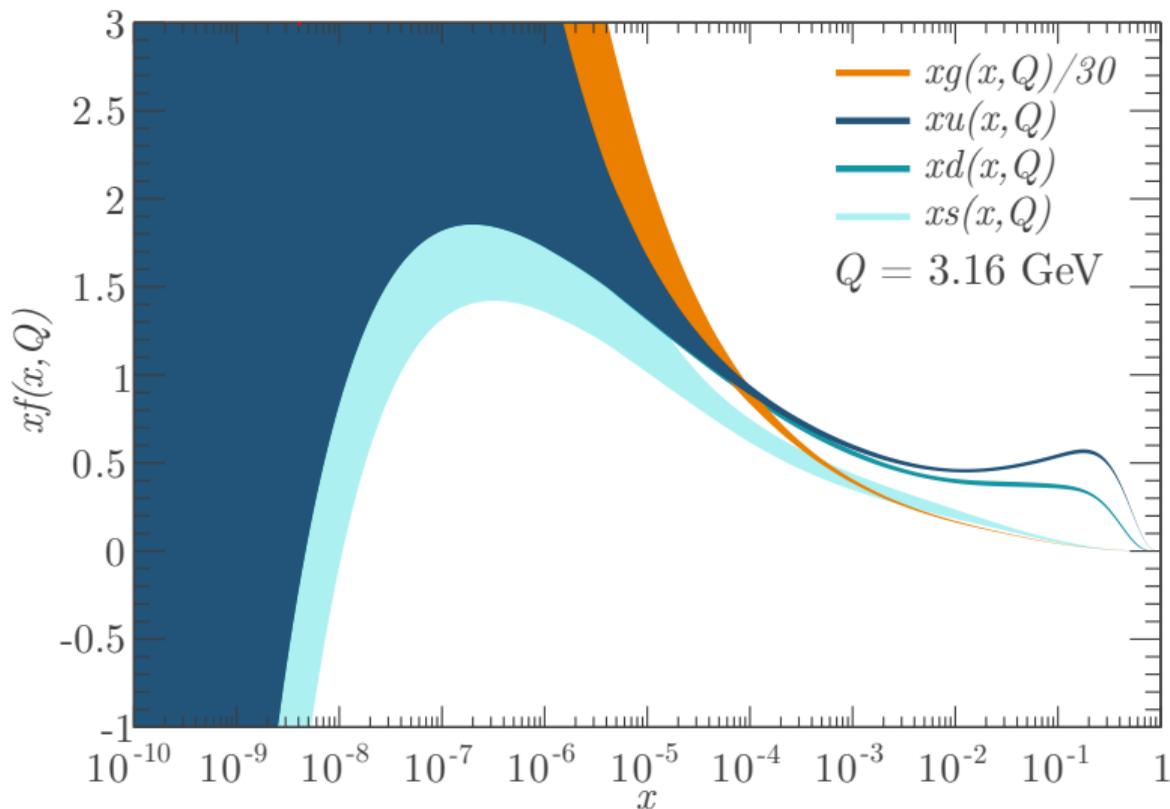


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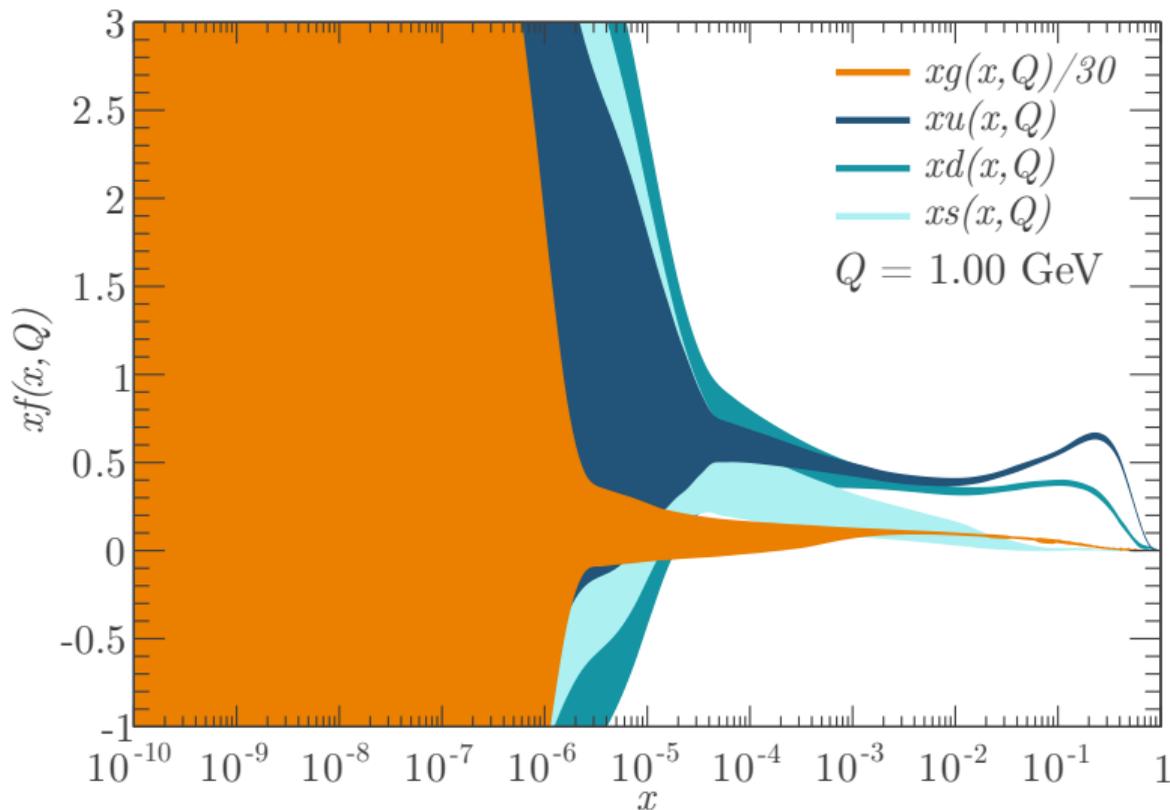
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MMHT2014lo68cl PDFs



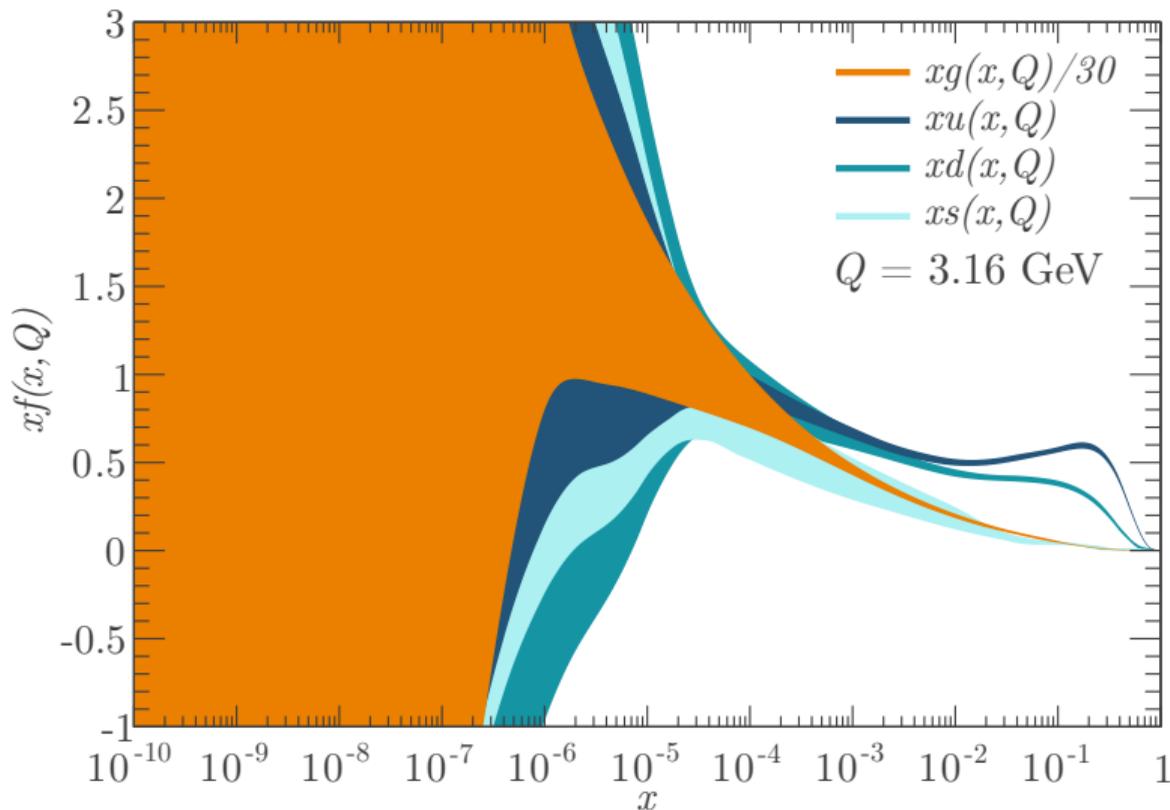
## NNPDF30\_lo\_as\_0118 PDFs

- NNPDF 3.0 uses a different error calculation (MC sampling of the neural nets) which gives a much wider band.
- Particularly high probability of negatively weighted events using this PDF, even at LO.
- I will come back to this very shortly.



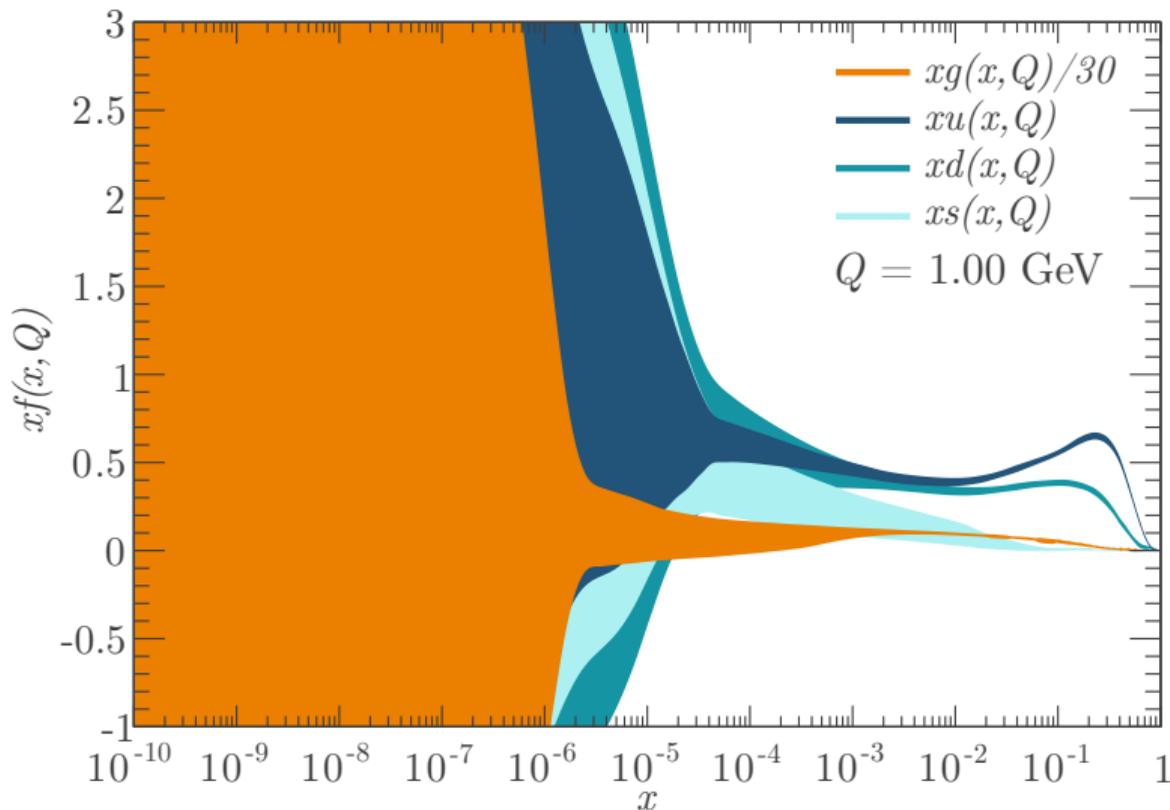
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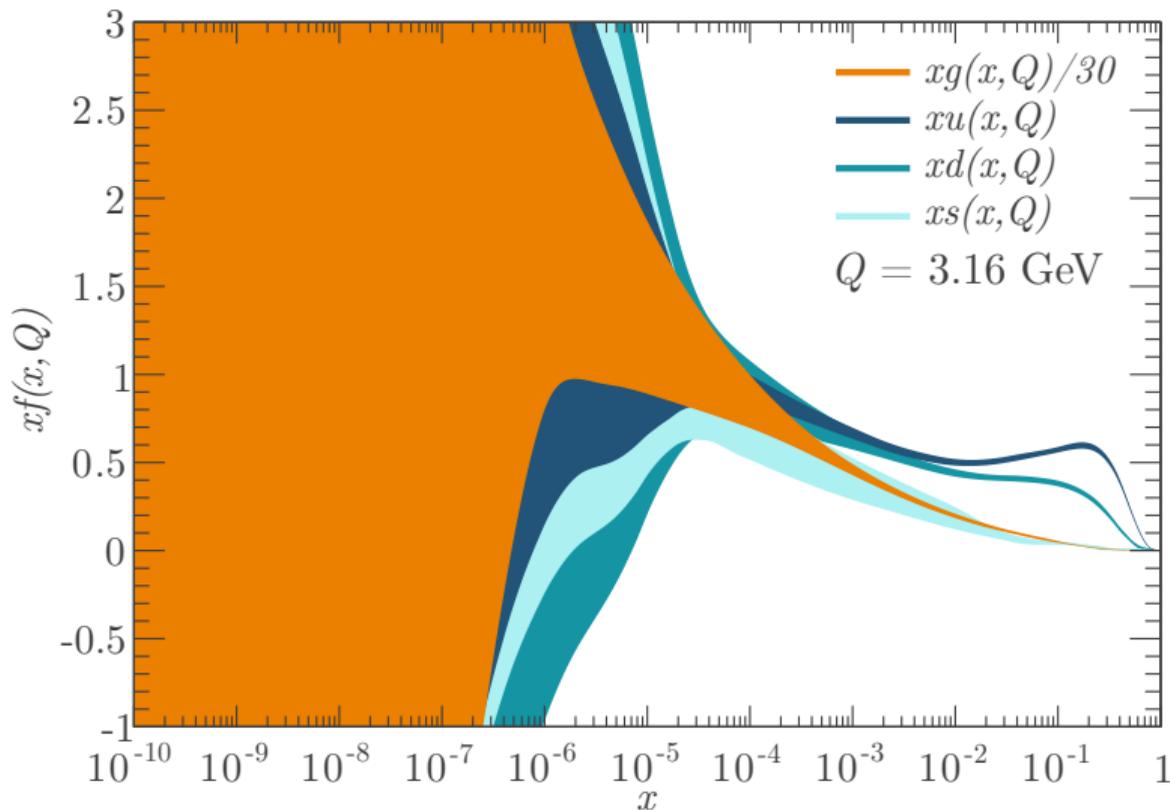
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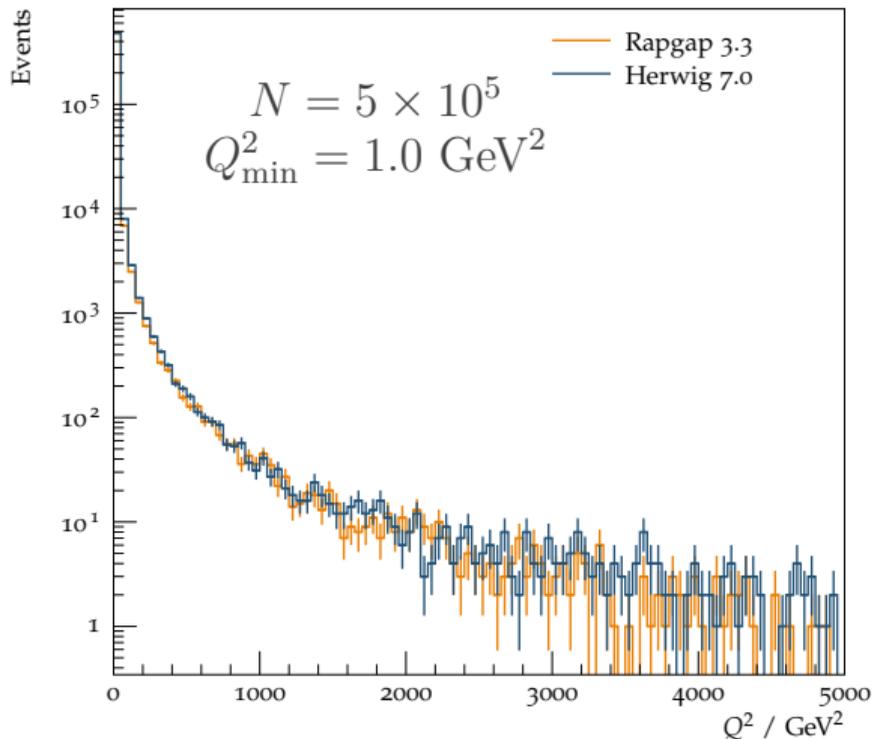
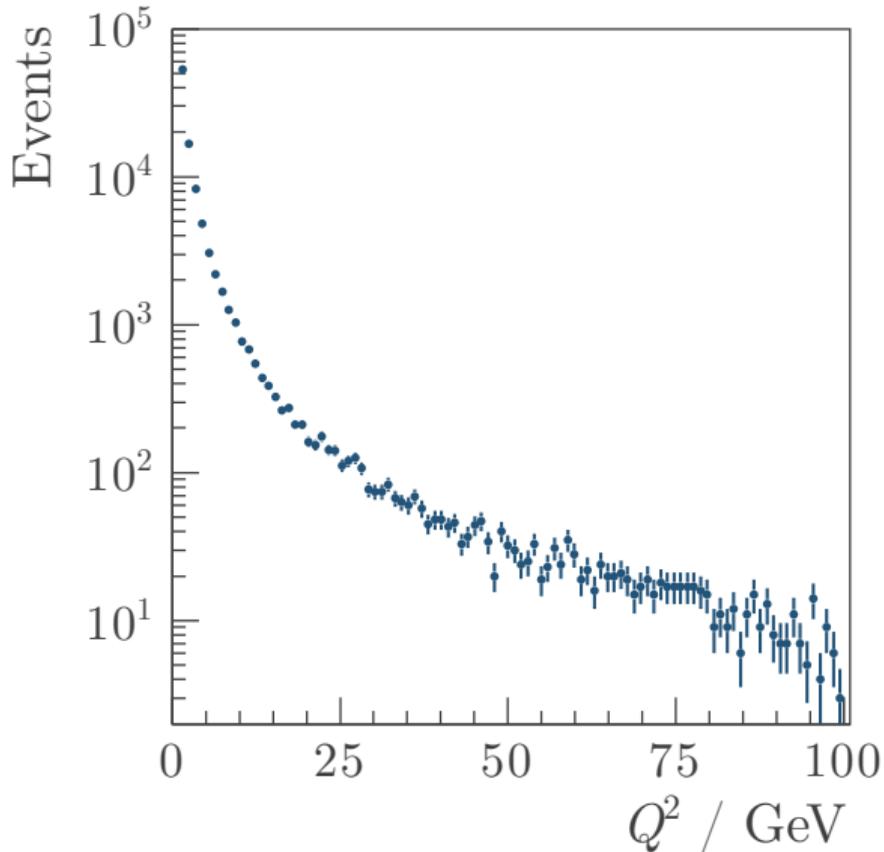
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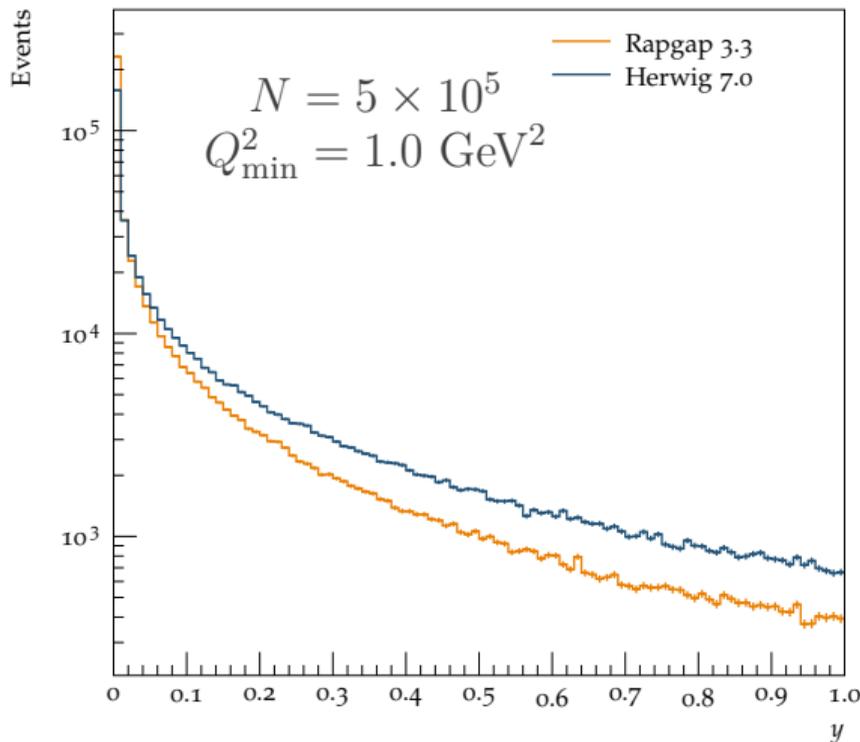
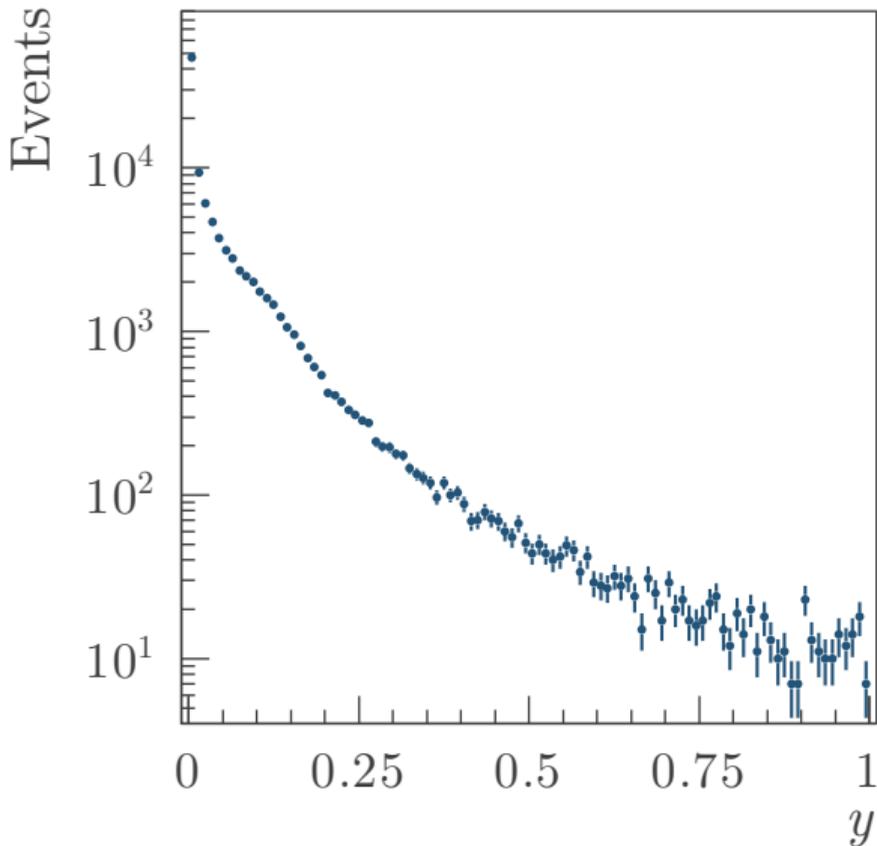
- With the help of a masters student (Emma Simpson Dore, now bound for KIT) we've entered the 21st century.
- We have the Rapgap 3.3 running with the Rivet toolkit.
  - We've benchmarked our version of this against a **H1 analysis**.
  - We've managed to get it working with some of the modern PDFs (NNPDF3.0 and CT14 work, MMHT2014 doesn't yet).
- We've made a Rivet routine to assess the final state for the VHEeP kinematics.
  - This is a very general routine looking at  $x$ ,  $Q^2$ ,  $y$ ,  $\theta_e$ ,  $\gamma_{\text{had}}$ , etc.
- We've also got Herwig 7.0 working for DIS with the VHEeP rivet routine.
  - This is particularly good as it is truly a modern event generator.
  - Some mysteries about low  $x$  PDF treatment, however.
- We've also being working on running Rapgap in diffractive mode to simulate exclusive photoproduction of  $J/\psi$  mesons.
  - We're trying to replicate another **H1 analysis**.
  - With help from Hannes, this is moving forward - slowly.

Using NNPDF 3.0 LO  $\alpha_s(M_z) = 0.118$



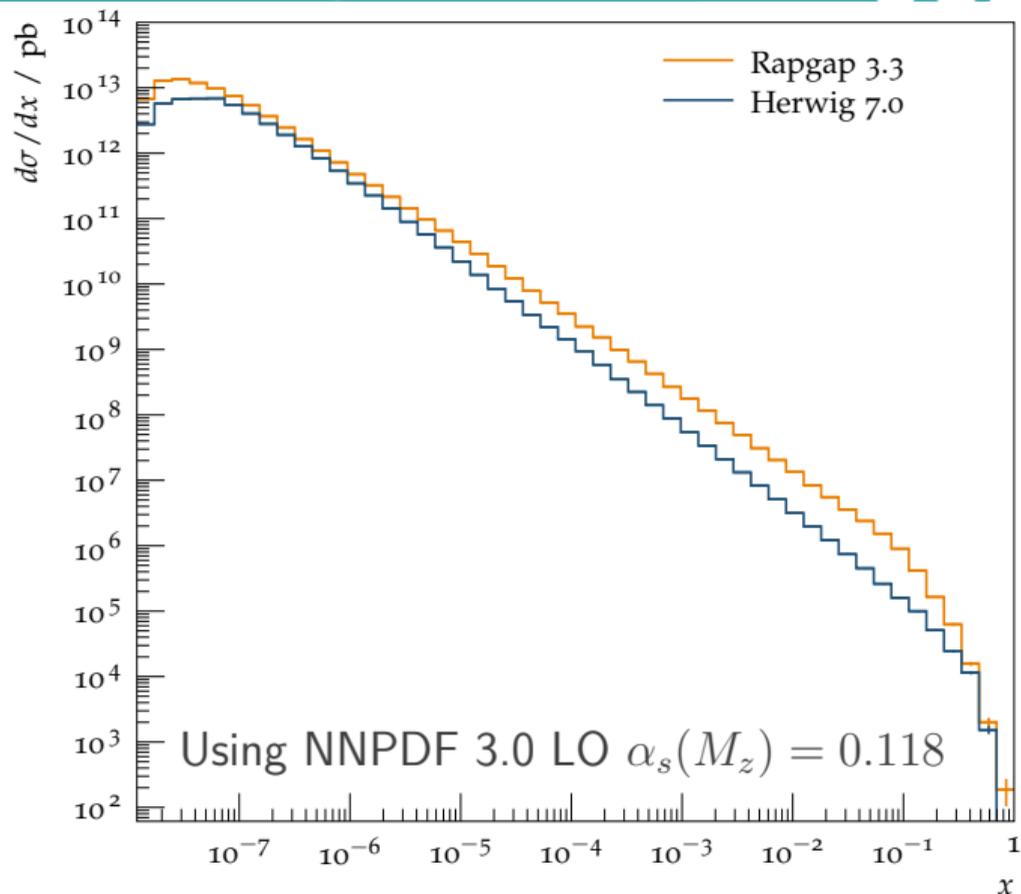
Plots made using Rivet: [arXiv:1003.0694](https://arxiv.org/abs/1003.0694)

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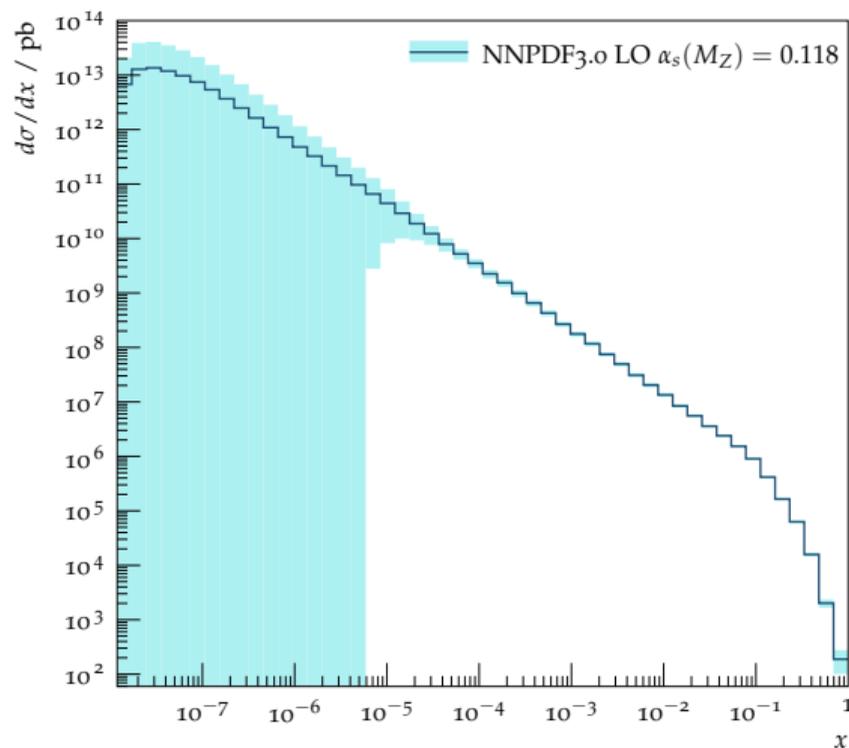
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- To make this more concrete, consider  $d\sigma/dx$  rather than the number of events.
- We can apply a *post hoc* reweighting of these events using LHAPDF to take the PDF uncertainty into account\*.

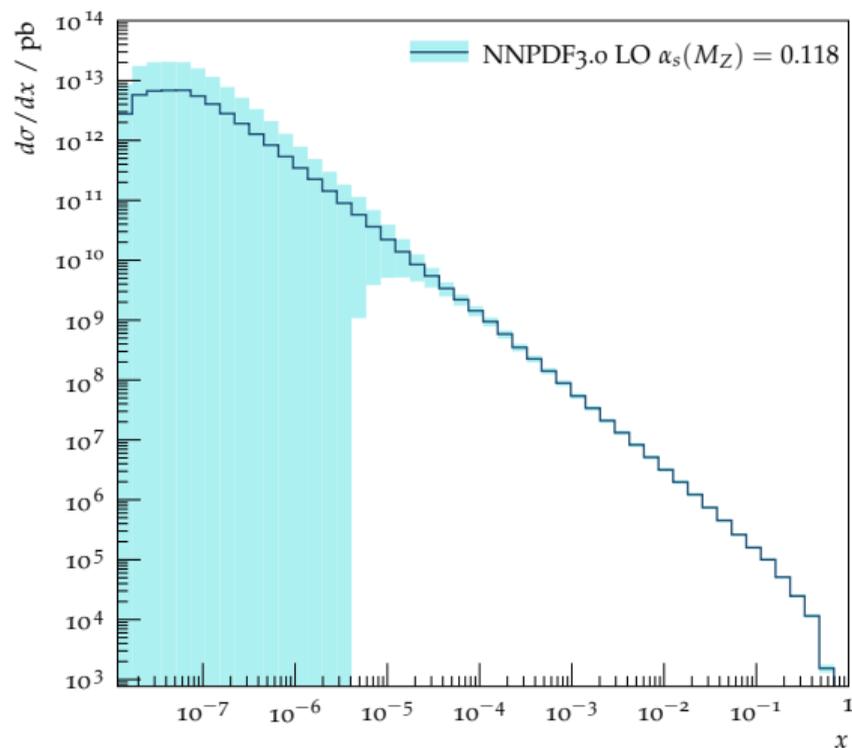


\*Thanks to David Yallup for his help with this.

## RAPGAP



## HERWIG



Plots made using Rivet ([arXiv:1003.0694](https://arxiv.org/abs/1003.0694)) and LHAPDF ([Eur.Phys.J. C75 \(2015\) 3, 132](https://doi.org/10.1088/0954-3899/35/3/035002))

As we have heard throughout this workshop, very high energy  $eP$  and  $eA$  physics is a much richer field than the LO pQCD  $eP$  DIS I have just discussed. Nevertheless, we can draw conclusions from this case.

- The final state will be very challenging to measure but not impossible.
  - A very flexible system is required to deal well with the electron and jet final state.
  - This is particularly true if either of the beam energies will be varied.
- PDFs in the VHEeP region are unconstrained by data and follow questionably motivated extrapolations with equally questionable uncertainties.
  - This collider could change that - with potentially widespread benefit.
- Modern event generators are available for  $eP$  physics.
  - Due to the large PDF uncertainties I cannot recommend using inclusive  $eP$  predictions as support for the collider.
  - Hopefully, I have shown that you can go a long way to understanding the technical challenge without using MC.